
Unemployment Insurance, Precautionary Savings, and Fiscal Multipliers

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Introduction

- **Unemployment insurance (UI) duration** systematically extended during bad times in the US
 - A four-fold increase during **Great Recession** and a three-fold increase during **pandemic**
 - Stands out as one of the **main countercyclical stabilization measures**
- **Opposing effects of UI extensions** on unemployment:
 - **Supply:** increase wages and depress hiring, moral hazard
 - **Demand:** increase transfers to high-MPC unemployed and reduce precautionary savings
- **Mixed results in the literature** leave debate unsettled
 - **Contractionary effects:** Hagedorn *et al.* (2019), Johnston and Mas (2018)
 - **Expansionary or non-negative effects:** Di Maggio and Kermani (2016), Chodorow-Reich *et al.* (2018), Boone *et al.* (2021), Dieterle *et al.* (2020)

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What we do

- We reconsider the **macroeconomic stabilization consequences of UI extensions**
 - Propose a **new identification scheme** based on non-linear design of UI policy
 - Use **macroeconomic model** to rationalize and extend empirical results
- **Identification based on the non-linear design of UI policy**
 - **UI duration response to falling unemployment depends on pre-existing length of UI**, e.g.
 - UI regular duration irrespective of state-level conditions
 - Falling unemployment in **state with regular UI will not change UI duration**
 - UI additional extensions depend state-level unemployment
 - Same fall in unemployment in **state with extended UI can cut UI duration**
 - Can apply similar logic to states that have **different lengths** of additional UI extensions
 - ▶ E.g. **Regular UI provides a floor** for UI duration

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- We implement this by estimating **local fiscal multipliers conditional on UI duration**
 - Gov't spending shock – demand shock – changes unemployment and hence UI duration
 - **Variation in fiscal multipliers** across levels of UI duration **infers effects of UI extensions**
- We find **UI extensions provide cushion against state-level shocks** (G shocks):
 - Gov't spending crowds out UI in line with identification idea
 - **Fiscal multipliers lower when UI duration extended**
 - Results unlikely to be driven by size of recession or unobserved state-level characteristics
- **Model of small-open-economy that incorporates main channels**
 - Model accounts well for empirical results
 - We use the model to recover a **UI multiplier** ≈ 1.2
 - We use the model to **quantify channels** affecting UI multiplier
 - ▶ Within demand-side channels: insurance \geq transfers to high-MPC hhs.

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Related Literature

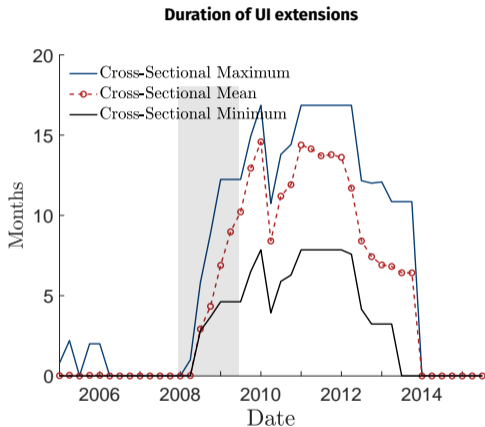
- **Macro effects of UI benefits:**
 - **Empirics:** Chodorow-Reich *et al.* (2018); Hagedorn *et al.* (2019); Di Maggio and Kermani (2016); Boone *et al.* (2021); Johnston and Mas (2018); Dieterle *et al.* (2020)
 - **Theory:** Kekre (2021); McKay and Reis (2021); Gorn and Trigari (2021); Mitman and Rabinovich (2019); Krusell *et al.* (2010); Jung and Kuester (2015); Landais *et al.* (2018); Gorn and Trigari (2021)
- **Fiscal multipliers:**
 - **Aggregate:** Ramey and Zubairy (2018); Ramey (2011); Auerbach and Gorodnichenko (2012); Barnichon *et al.* (Forthcoming)
 - **Regional:** Nakamura and Steinsson (2014); Bernardini *et al.* (2020); Dupor *et al.* (2022); Chodorow-Reich *et al.* (2012); Suárez Serrato and Wingender (2016); Acconcia *et al.* (2014); Basso and Rachedi (2021)
- **Open economy with heterogeneous households:** de Ferra *et al.* (2020); Auclert *et al.* (2021); Cugat (2019); Guo *et al.* (2020)

Empirical Strategy

UI Policy & Identification

Unemployment Insurance Duration in the US

- US states: 26 weeks of **regular UI duration**
 - Irrespective of local unemployment
- **UI duration extended** during bad times:
 - EB program: if unemployment above threshold states can obtain additional UI extension of one quarter
 - EUC program (financial crisis): states could get additional UI extension of four quarters depending on unemployment
- Substantial **variation in UI duration across time and states**



Idea behind identification strategy

- Exploit the **non-linear design of UI policy** together with time and cross-sectional variation in UI duration
- Why **UI policy non-linear**?
 - State with **extended UI** can reduce UI duration if unemployment falls
 - State with **regular UI** cannot in response to same fall in unemployment
 - **Conditional on UI extended**, there can be cross-sectional variation in UI response
 - ▶ E.g. Regular UI provides **floor**: states with longer UI duration can reduce UI by more

Idea behind identification strategy

Consider two states **A** and **B** to fix ideas:

- Unemployment in **A** temporarily higher: **A** has **extended UI** and **B** has **regular UI**
- Same demand shock (e.g. G_t) hits both **A** and **B** reducing unemployment
 - Effect on output in **A** = effect of G_t + effects of **cutting UI duration**
 - Effect on output in **B** = effect of G_t
- Can apply similar logic if **B** also has extended UI, but different from **A**:
 - E.g. regular UI as floor: size UI duration cut in **A** \neq size UI duration cut in **B**
- Implementation: estimate **fiscal multipliers** is US states with different levels of **UI duration**

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Data

- **Quarterly regional US dataset** from Regional Economic Accounts of BEA
 - Quarterly GDP and government value added at state-level
 - Gov. value added: spent within the region, excludes UI benefits
- **Government spending shocks** as in Blanchard and Perotti (2002):
 - Government spending predetermined within the quarter
- **UI benefits extensions:**
 - Actual additional UI duration for each US state (Chodorow-Reich *et al.*, 2018)
- **Sample period:** 2005Q1 - 2015Q4

Effects of Gov't Spending on UI duration

Government Spending crowds out UI

Key in our approach: G_t induces UI duration changes

1. Estimate the **response of UI duration to gov. spending** by LPs (Jordà, 2005):

$$\log \text{UI Duration}_{i,t+h} = \beta_h \log G_{i,t} + \gamma_h(L) Z_{i,t-1} + \alpha_{i,h} + \delta_{t,h} + \varepsilon_{i,t+h}, \quad h \geq 0,$$

- $G_{i,t}$: Gov't spending in state i
- $Z_{i,t}$: lags of $\{G, Y, \text{UI Duration}\}$
- $\alpha_{i,h}, \delta_{t,h}$: state & time fixed-effects

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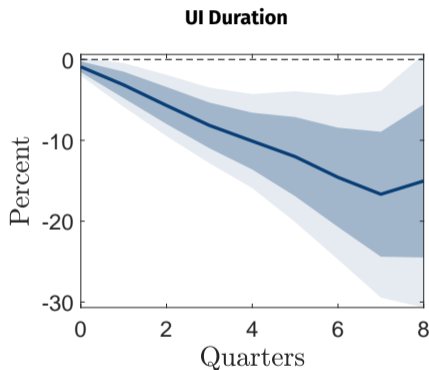
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Government Spending crowds out UI – High vs. Low UI Duration

2. Conditionally on UI extended, **states with longer UI duration respond more:**

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- $\mathbb{I}_{i,t-1}^{HT} = 1$: UI extended and $>$ median
- $\mathbb{I}_{i,t-1}^{LT} = 1$: UI extended and $<$ median
- $\beta_h^{HT} - \beta_h^{LT}$: diff. response high vs. low UI duration

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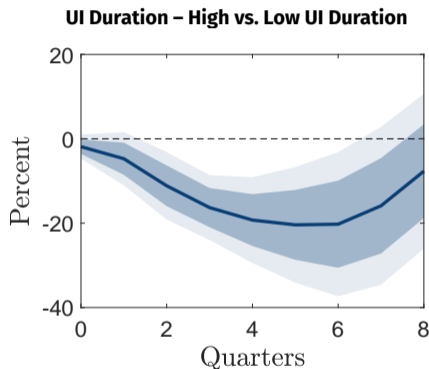
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Fiscal Multipliers & UI duration

Empirical Specification – Fiscal Multipliers

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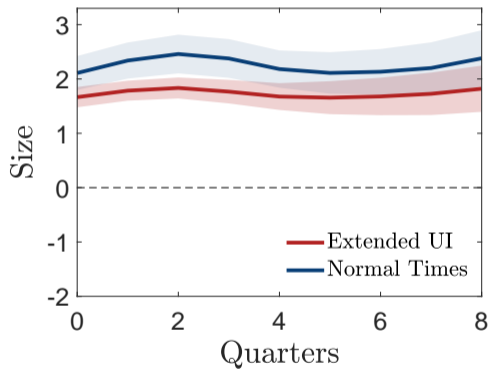
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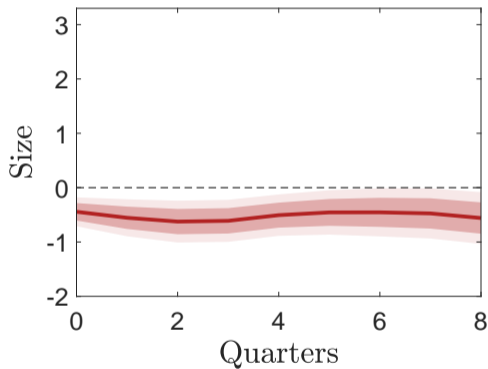
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Fiscal Multipliers & UI Extensions

Multipliers: Extended UI vs. Normal Times



Difference



employment & consumption

gov't Direct Expenditure

Extensions

Extension I – Horse-race: Recessions vs Extended UI

Recessions or UI extensions?

- If anything, fiscal multipliers *larger* in recessions (Auerbach and Gorodnichenko, 2012)
- Yet, extend baseline to run **horse-race**:

$$\sum_{h=0}^H Y_{i,t+h} = \beta_h \sum_{h=0}^H G_{i,t+h} + \gamma_h(L) Z_{i,t-1} + \alpha_{i,t} + \delta_{i,t} + \varepsilon_{i,t+h}$$
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- β_h^{UI} : additional effect of UI extended
- $I_{i,t-1}^{REC}$: state i with 2 qtrs. of negative growth
- β_h^{REC} : additional effect of recession

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- If anything, fiscal multipliers *larger* in recessions (Auerbach and Gorodnichenko, 2012)
- Yet, extend baseline to run **horse-race**:

$$\sum_{h=0}^H Y_{i,t+h} = \beta_h \sum_{h=0}^H G_{i,t+h} + \gamma_h(L) Z_{i,t-1} + \alpha_{i,h} + \delta_{t,h} + \varepsilon_{i,t+h}$$
$$+ T_{i,t-1}^* \left(\beta_h^{UI} \sum_{h=0}^H G_{i,t+h} + \gamma_h^{UI}(L) Z_{i,t-1} \right) + \mathbb{I}_{i,t-1}^{REC} \left(\beta_h^{REC} \sum_{h=0}^H G_{i,t+h} + \gamma_h^{REC}(L) Z_{i,t-1} \right)$$

- β_h^{UI} : additional effect of UI extended
- $\mathbb{I}_{i,t-1}^{REC}$: state i with 2 qrts. of negative growth
- β_h^{REC} : additional effect of recession

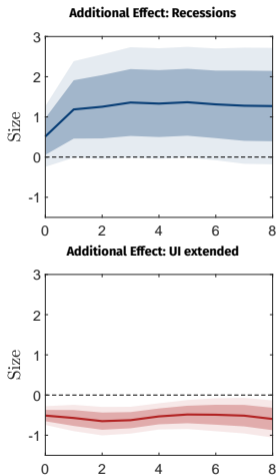
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Extension II – Exogenous UI extensions: unemployment measurement error

- **Unobserved covariates** driving results?
 - E.g., local wage rigidity can affect T^* and multiplier
 - If anything, source of *amplification*
- Use **UI extensions due unemployment measurement error** (Chodorow-Reich *et al.*, 2018), ie. *orthogonal* to fundamentals

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- $\mathbb{I}_{i,t-1}^{\hat{T}} = 1$: UI extended due to *measurement error*
- $\beta_h^{\hat{T}}$: additional effect of UI extended *due to measurement error*

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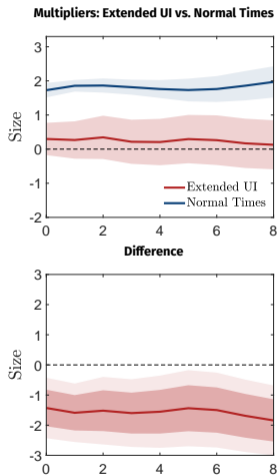
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Model

Model Overview

- **Small-open-economy** in a monetary union (Galí and Monacelli, 2005)
- **Search-and-matching frictions** in the labor market (Mortensen and Pissarides, 1994)
- **Heterogeneous households** (Bewley-Hugget-Aiyagary):
 - **Receive unemployment benefits while unemployed if eligible**
 - **Risk of exhausting UI benefits** while unemployed
- **Firms:**
 - Standard New Keynesian block
 - Partly rigid **wages affected by UI policy**
- **Local fiscal authority:**
 - **Government consumption** on home goods
 - Sets **UI duration according to UI policy rule** that depends on unemployment

UI Eligibility & Households

- **UI benefits expire stochastically** \approx limited duration of UI benefits
 - **Loose eligibility** during unemployment
 - **Regain eligibility** during employment

1. Eligible employed

- Keep job: remains eligible
- Loose job: loose eligibility with prob. pe_t

2. Non-eligible employed

- Keep job: eligible with prob. pr
- Loose job: remains non-eligible

3. Eligible unemployed

- Find job: remains eligible
- Unemployed: non-eligible with prob. pe_t

4. Non-eligible unempl.

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- Household with idiosyncratic state vector $s = \{\beta, h, n, e, a\}$
- Chooses consumption of home (c_{Ht}) and foreign (c_{Ft}) goods, savings a_t in mutual fund:

$$V_t(s) = \max_{c_{Ht}, c_{Ft}, a_t} u(c_{Ht}, c_{Ft}) + \beta \mathbb{E}_t V_{t+1}(s')$$

$$\text{s.t. } \frac{P_{Ht}}{P_t} c_{Ht} + \frac{P_{Ft}}{P_t} c_{Ft} + a_t = (1 - \tau_t) h_t (d_t + \mathbb{I}_{n=1} w_t + \mathbb{I}_{(n=0, e=1)} b_t + \mathbb{I}_{(n=0, e=0)} \tilde{b}_t)$$

$$+ (1 + r_t^a) a_{t-1}, \quad a_t \geq 0.$$

- Income** depends on employment & eligibility status:
 - Employed: wage w_t
 - Unemployed and eligible: UI benefits b_t
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Firms & Wages

- **Differentiated goods producers:** set prices s.t. Rotemberg adjust. costs.

- **NKPC:**

$$\log(1 + \pi_{H,t}) = \kappa_p \left(\frac{MC_t}{P_{Ht}} - \frac{\varepsilon - 1}{\varepsilon} \right) + \mathbb{E}_t \frac{1}{1 + r^a} \log(1 + \pi_{H,t+1}) \frac{Y_{t+1}^D}{Y_t^D}$$

- **Labor goods producers:** post vacancies v_t to hire workers

- **Free-entry:** value of job J_t^L , vacancy filling rate q_t

$$\kappa_v = q_t J_t^L$$

- **Wage rule:** weighted between Nash wage and st.-st. wage :

$$w_t = (w_t^{nash})^{\phi^w} (\bar{w})^{1-\phi^w}$$

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- **Union** bargains w_t^{nash} on behalf of workers to maximize **average surplus from employment**

$$w_t^{nash} = \arg \max_{w_t} (J_t^L)^{1-\eta} (\Delta_t^{n,u})^\eta$$

- **Average surplus from employment $\Delta_t^{n,u}$:**

$$\Delta_t^{n,u} = (n_t^e + u_t^e) \Delta_{t,e=1}^{n,u} + (n_t^{ne} + u_t^{ne}) \Delta_{t,e=0}^{n,u}$$

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Local Government

Government

- **Monetary authority** sets nominal rate to fix nominal exchange rate
- **Fiscal authority**, budget constraint:

$$\frac{P_{Ht}}{P_t} G_t + (1 + r_t) B_{H,t-1} + b_t U_t^e + \tilde{b}_t U_t^{ne} = B_{H,t} + \tau_t (w_t N_t + b_t U_t^e + \tilde{b}_t U_t^{ne} + d_t) + T_t$$

- Government consumption G_t : $\log\left(\frac{G_t}{G}\right) = \rho_G \log\left(\frac{G_{t-1}}{G}\right) + \varepsilon_t^G$, , $\varepsilon_t^G \sim \mathcal{N}(0, 1)$
- Federal transfers pay for UI expenses: $T_t - T = (b_t U_t^e + \tilde{b}_t U_t^{ne}) - (b U^e + \tilde{b} U^{ne})$
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Government - UI benefits extensions

- **UI benefits duration** $UI_t^D = 1/pe_t$:

$$UI_t^D = \begin{cases} UI^D & \text{if } U_t \leq \tilde{U}, \\ UI^D \left(\frac{U_{t-1}}{\tilde{U}}\right)^{\phi_U} & \text{else.} \end{cases}$$

- **If unemployment below threshold** \tilde{U} keep UI duration at regular UI duration UI^D
- We let UI duration follow a Taylor (1993)-type rule **when unemployment above** \tilde{U}
 - Captures parsimoniously multiple thresholds active during our sample period
 - We will calibrate ϕ_U to match dynamics of UI_t^D observed in our data

Calibration

Calibration

Parameter	Description	Value	Target / Source
Households			
$1/\sigma$	IES	0.5	Standard value
β_1	Discount factor high	0.98	$r = 0.04/4$
β_2	Discount factor low	0.85	MPC = 0.25
ρ_h	Persistence h	0.98	Bayer <i>et al.</i> (2019)
σ_h	Std. innovations to h	0.12	Bayer <i>et al.</i> (2019)
ε	Elast. subs. intermediate goods	7	Standard value
η	Elast. subs. H and F goods	2	Nakamura and Steinsson (2014)
α	Share imported goods	0.3	Nakamura and Steinsson (2014)
Firms			
κ_v	Vacancy posting cost	0.05	4.5% of quarterly wage
w	St-st. real wage	1.13	$q = 0.71$
ϕ^w	Wage rigidity	0.45	Elast. wage - productivity = 1/3
Z	St-st. productivity	1.33	$C = 1$
κ_p	Slope NKPC	0.05	Mean price duration of 5 q.

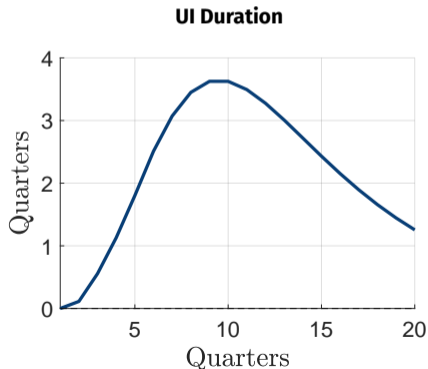
Calibration

Parameter	Description	Value	Target / Source
Labor market			
δ	Separation rate	0.10	Standard value
χ	Matching efficiency	0.66	$N = 0.94$
γ	Curvature matching function	0.5	Petrongolo and Pissarides (2001)
Government			
τ	Steady-state tax rate	0.24	$G/Y = 0.20$
B_H	Steady-state gov. debt	3	$B_H/4Y = 0.60$
b	Replacement rate UI	0.4	Standard value
\tilde{b}	Replacement rate safety-net	0.2	Nakajima (2012)
pe	Prob. losing eligibility	0.5	Avg. duration UI of 2 q.
pr	Prop. regaining eligibility	0.5	2 q. to regain eligibility
\tilde{U}	UI extension threshold	6.0%	Chodorow-Reich <i>et al.</i> (2018)

UI Extensions & Fiscal Multipliers in the model

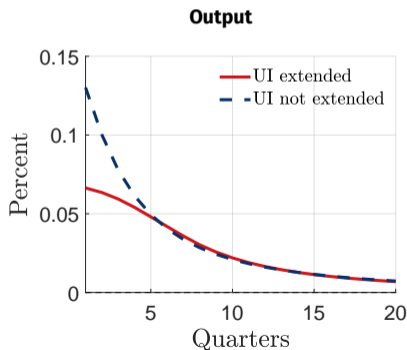
Extended UI benefits in the model

- We first replicate in the model the **average state in the data with extended UI**:
 - We feed in shocks such that U_t raises to 7.7% as in data
 - Pick response of UI duration ϕ^U such that UI_t^D raises to 5.5 qrts. as in data



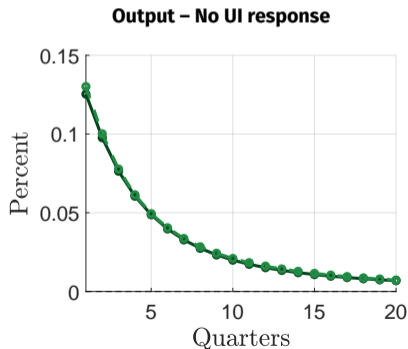
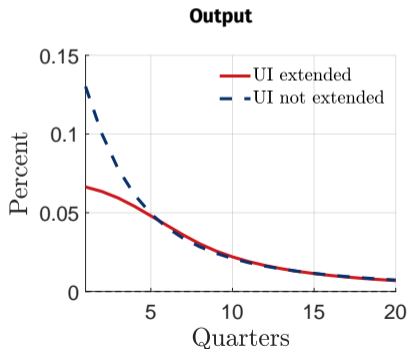
UI Extensions & Effects of Government Spending

- We compare the marginal effects of a **gov't spending increase**:
 - Starting from st.-st. where **UI duration at regular level**
 - Starting from the recession where **UI duration extended**
- We then repeat the exercise but **assuming that UI duration is always at the regular level**



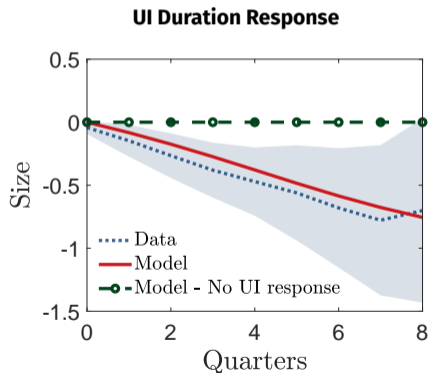
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 - Starting from the recession where **UI duration extended**
- We then repeat the exercise but **assuming that UI duration is always at the regular level**



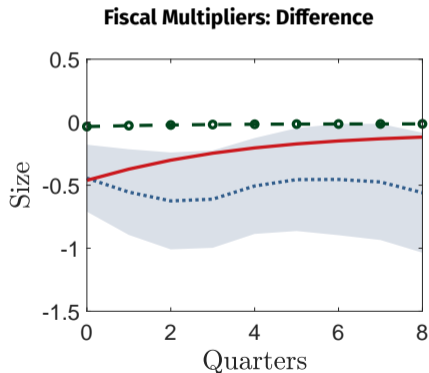
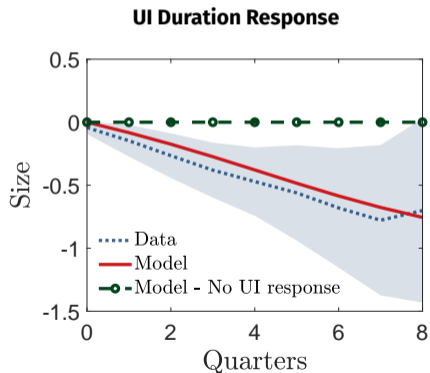
UI Extensions & Fiscal Multipliers in the model

- We pick the size of the G shock to **match a cumulative fall in UI duration of 15% as in the data**
- **Model matches perfectly the difference in fiscal multipliers on impact**
- Model **without UI response predicts no difference in fiscal multipliers**



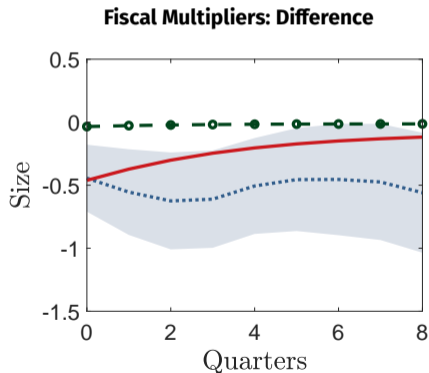
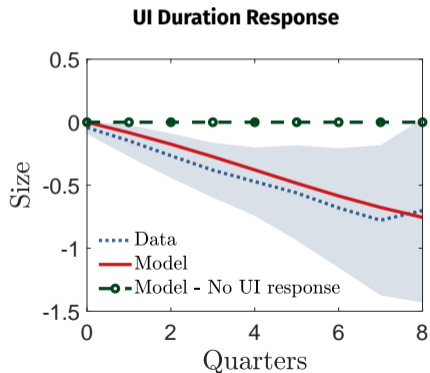
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UI Multipliers & Channels

Recovering UI multipliers from the model

UI Multipliers

Baseline

1.20

- Recover **UI Multiplier** using model: how many dollars Y_t increases for each dollar spent on UI

$$\frac{\sum_{t=0}^T (Y_t - Y) / Y}{\sum_{t=0}^T (\text{UI expenditures}_t - \text{UI expenditures}) / Y}$$

- Well within the range of **previous empirical estimates**:
 - Di Maggio and Kermani (2016): multiplier of 1.9 for *UI levels*
 - Chodorow-Reich and Coglianesi (2019): back out multiplier of 1
 - Congressional Budget Office (2012) uses output multiplier of 1

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UI multipliers & Channels

- **Three main channels** drive effects of more generous UI extensions:
 - **Wages**: improves outside option and raises wages
 - **Transfers**: increases transfers to unemployed workers, households with high MPCs
 - **Insurance**: reduces the need to accumulate precautionary savings
- Measure **contribution of each channel** through counterfactuals:
 - **Complete Markets**: only keeps detrimental effect from wages
 - **Transfers**: hhs. do expect changes in UI duration, but transfers never materialize
 - **Insurance**: shut down **insurance** by assuming that **hhs. do not expect changes in UI**

UI Multipliers

Baseline	Complete Markets	Transfers	Insurance
1.20	-0.20	0.78	0.51

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Conclusion

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- **Stabilization consequences** of **countercyclical UI extensions**?
- Exploit institutional **non-linear design of UI policy** in the US
 - Government spending crowds out UI duration
 - UI extensions reduce local fiscal multipliers
 - Effects are unlikely to be explained by recessions or unobserved covariates
- **Model**: SOE in monetary union with equilibrium unemployment
 - Heterogeneous agents economy rationalizes empirical findings
 - Baseline **UI multiplier** of 1.2
 - Transfers to **high-MPC unemployed** and **insurance** both key in driving results

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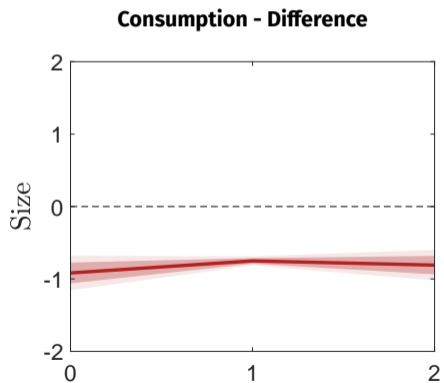
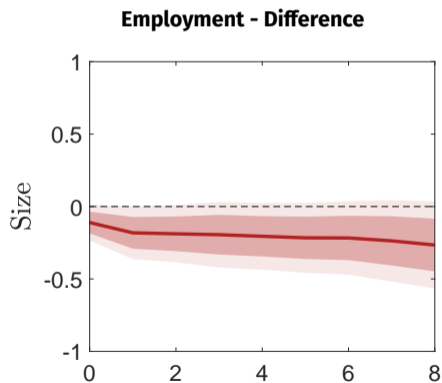
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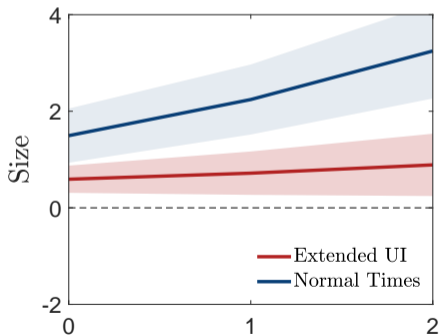
Appendix

- State-level consumption expenditures from US Census at annual frequency
- State-level employment from Regional Accounts of BEA

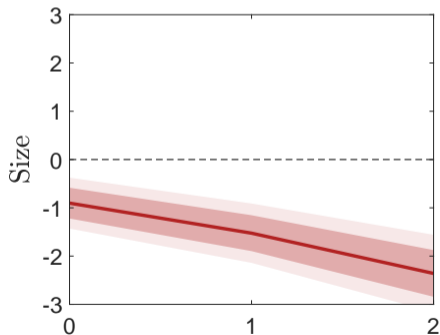


- We replace gov't value-added by state-level government expenditure
- Only available at annual frequency from US Census

Multipliers: Extended UI vs. Normal Times



Difference



- Law of motion for **employment** N_t :

$$N_t = (1 - \delta)N_{t-1} + M_t$$

- δ : exogenous separation rate
- M_t : new matches

- **New matches** M_t formed according to:

$$M_t = \chi_t V_t^\gamma (1 - (1 - \delta)N_{t-1})^{1-\gamma}$$

- V_t : firms' vacancies, posted at cost κ_v
- χ_t : matching efficiency follows log AR(1) process

UI eligibility

- N_t^e : employed eligible
- N_t^{ne} : employed non-eligible
- U_t^e : unemployed eligible
- U_t^{ne} : unemployed non-eligible
- pe_t : prob. losing eligibility
- pr : prob. regaining eligibility

$$N_t^e = (1 - \delta + \delta f_t)N_{t-1}^e + pr(1 - \delta + \delta f_t)N_{t-1}^{ne} + f_t(U_{t-1}^e + prU_{t-1}^{ne})$$

$$N_t^{ne} = (1 - pr)(1 - \delta + \delta f_t)N_{t-1}^{ne} + (1 - pr)f_tU_{t-1}^{ne}$$

$$U_t^e = (1 - f_t)(1 - pe_t)(U_{t-1}^e + \delta N_{t-1}^e)$$

$$U_t^{ne} = (1 - f_t)(U_{t-1}^{ne} + \delta N_{t-1}^{ne}) + (1 - f_t)pe_t(U_{t-1}^e + \delta N_{t-1}^e)$$

- Export demand from Foreign households C_{Ht}^* :

$$C_{Ht}^* = \alpha \left(\frac{P_{Ht}^*}{P_t^*} \right)^{-\eta} C_t^*,$$

- Nominal exchange rate: \mathcal{E}_t
- Law of one price holds: $P_{Ht} = \mathcal{E}_t P_{Ht}^*$ and $P_{Ft} = \mathcal{E}_t P_{Ft}^*$
- Real exchange rate: $Q_t := \frac{\mathcal{E}_t P_t^*}{P_t}$
- Terms of trade: $S_t := \frac{P_{Ft}}{P_{Ht}}$

Firms - Labor good producers

- Value of a firm with a worker:

$$J_t^L = Z_t \frac{MC_t}{P_t} - \frac{W_t}{P_t} + \mathbb{E}_t \frac{1}{1+r^a} (1-\delta) J_{t+1}^L,$$

- Free entry:

$$\kappa_v = q_t J_t^L$$

- **Union** bargains w_t^{nash} on behalf of workers to maximize **average surplus from employment**

$$w_t^{nash} = \arg \max_{w_t} (J_t^L)^{1-\eta} (\Delta_t^{n,u})^\eta$$

- **Average surplus from employment** $\Delta_t^{n,u}$:

$$\Delta_t^{n,u} = (n_t^e + u_t^e) \Delta_{t,e=1}^{n,u} + (n_t^{ne} + u_t^{ne}) \Delta_{t,e=0}^{n,u}$$

- **Average surplus from employment for eligible workers** $\Delta_{t,e=1}^{n,u}$:

$$\Delta_{t,e=1}^{n,u} = U(C_{t,e=1}^n) - U(C_{t,e=1}^u) + \beta(1-\delta)(1-f_{t+1})(\Delta_{t+1,e=1}^{n,u} + pe_t \Delta_{t+1,n=0}^{e,ne})$$

- **Average surplus from employment for non-eligible workers** $\Delta_{t,e=0}^{n,u}$:

$$\Delta_{t,e=0}^{n,u} = U(C_{t,e=0}^n) - U(C_{t,e=0}^u) + \beta(1-\delta)(1-f_{t+1})(\Delta_{t+1,e=0}^{n,u} + pr \Delta_{t+1,n=1}^{ne,e})$$

- Average surplus from employment for **eligible workers** $\Delta_{t,e=1}^{n,u}$:

$$\Delta_{t,e=1}^{n,u} = U(C_{t,e=1}^n) - U(C_{t,e=1}^u) + \beta(1-\delta)(1-f_{t+1})(\Delta_{t+1,e=1}^{n,u} + pe_t \Delta_{t+1,n=0}^{e,ne})$$

- Average surplus from eligibility for unemployed workers $\Delta_{t+1,n=0}^{e,ne}$:

$$\Delta_{t,n=0}^{e,ne} = U(C_{t,e=1}^u) - U(C_{t,e=1}^n) + \beta[(1-f_{t+1})(1-pe_{t+1})\Delta_{t+1,n=0}^{e,ne} + f_{t+1}(1-pr)\Delta_{t+1,n=1}^{e,ne}]$$

- Average surplus from employment for **non-eligible workers** $\Delta_{t,e=0}^{n,u}$:

$$\Delta_{t,e=0}^{n,u} = U(C_{t,e=0}^n) - U(C_{t,e=0}^u) + \beta(1-\delta)(1-f_{t+1})(\Delta_{t+1,e=0}^{n,u} + pr\Delta_{t+1,n=1}^{ne,e})$$

- Average surplus from eligibility for employed workers $\Delta_{t+1,n=1}^{e,ne}$:

$$\Delta_{t,n=1}^{e,ne} = U(C_{t,e=1}^n) - U(C_{t,e=1}^u) + \beta[(1-\delta(1-f_{t+1}))(1-pr)\Delta_{t+1,n=1}^{e,ne} + \delta(1-f_{t+1})(1-pe_{t+1})\Delta_{t+1,n=0}^{e,ne}]$$

Firms - Producers of differentiated goods

- Set prices s.t. quadratic adjustment costs:

$$\max_{\{P_{jHt+k}\}_{k=0}^{\infty}} \mathbb{E}_t \sum_{k=0}^{\infty} (1+r^a)^{-k} \left[(P_{jHt+k} - MC_{t+k}) Y_{jt+k}^D - \frac{\kappa_p}{2\varepsilon} \log\left(\frac{P_{jHt+k}}{P_{jHt+k-1}}\right)^2 P_{Ht+k} Y_{t+k}^D \right],$$

subject to $Y_{jt}^D = \left(\frac{P_{jHt}}{P_{Ht}}\right)^{-\varepsilon} (C_{Ht} + C_{Ht}^* + G_t).$

- NKPC:

$$\log(1 + \pi_{H,t}) = \kappa_p \left(\frac{MC_t}{P_{Ht}} - \frac{\varepsilon - 1}{\varepsilon} \right) + \mathbb{E}_t \frac{1}{1+r^a} \log(1 + \pi_{H,t+1}) \frac{Y_{t+1}^D}{Y_t^D},$$

- Risk-neutral mutual fund issues A_t , purchases domestic B_{Ht} and foreign B_{Ft} bonds

$$A_t = B_{Ht} + Q_t B_{Ft}$$

- Beginning-of-period flow constraint:

$$(1 + r_t^a)A_{t-1} = (1 + r_t)B_{H,t-1} + (1 + r_t^*)Q_t B_{F,t-1}.$$

- Non-arbitrage conditions:

$$\mathbb{E}_t \frac{1 + i_t}{1 + \pi_{t+1}} = \mathbb{E}_t \frac{1 + i_t^*}{1 + \pi_{t+1}^*} \frac{Q_{t+1}}{Q_t},$$

$$\mathbb{E}_t 1 + r_{t+1}^a = \mathbb{E}_t 1 + r_{t+1}$$