# DISCUSSION OF "HANK & SAM: AN ANALYTICAL APPROACH" BY MORTEN RAVN & VINCENT STERK

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First Annual Research Conference Banco de España August 31, 2017

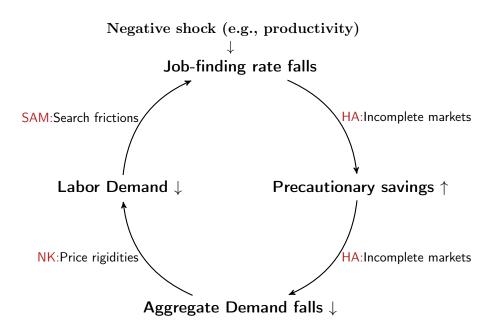
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- ▶ Borrow a trick from Krusell, Mukoyama and Smith (2010) to maintain analytical tractability
- ► Explore whether insights from HANK + SAM > sum of the parts (i.e., HANK + SAM = SHANK?)

### ENDOGENOUS FEEDBACK AND AMPLIFICATION



$$u'(c_e) = \mathbb{E}\left[\frac{R}{\Pi'}\left(u'(c'_e) + \underbrace{\omega}_{\text{Job loss}}\underbrace{(1 - \mathbf{\eta'})}_{\text{Pain of unemployment}}\right)\right]$$

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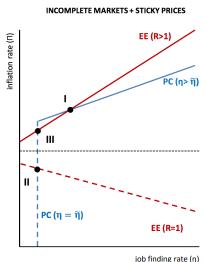
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- Gives rise to "Incomplete Markets Wedge", Θ, to standard CM EE

### Unemployment Trap

### Monetary Policy:

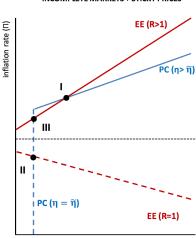
$$R = \bar{R} \left( \frac{\Pi}{\bar{\Pi}} \right)^{\delta_{\pi}} \left( \frac{\theta}{\bar{\theta}} \right)^{\delta_{\theta}}$$



$$\delta_{\pi} > 1$$
,  $\delta_{\theta} = 0$ 

### Unemployment Trap

### INCOMPLETE MARKETS + STICKY PRICES



job finding rate ( $\eta$ )

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,  $\delta_{\theta} = 0$ 

### Monetary Policy:

$$R = \bar{R} \left( \frac{\Pi}{\bar{\Pi}} \right)^{\delta_{\pi}} \left( \frac{\theta}{\bar{\theta}} \right)^{\delta_{\theta}}$$

Unemployment trap could be ruled out with sufficiently high  $\delta_{\theta}$ 

Rationale for the dual mandate of the FED?

### Unemployment Trap

# EE (R>1) PC (η> ĵij)

job finding rate ( $\eta$ )

EE (R=1)

### $\delta_{\pi} > 1$ , $\delta_{\theta} = 0$

 $PC (\eta = \tilde{\eta})$ 

inflation rate (□)

### Monetary Policy:

$$R = \bar{R} \left( \frac{\Pi}{\bar{\Pi}} \right)^{\delta_{\pi}} \left( \frac{\theta}{\bar{\theta}} \right)^{\delta_{\theta}}$$

Unemployment trap could be ruled out by setting  $\delta_{\pi} = \delta_{\theta} = 0$ 

 ${\it HANK+SAM}$  alone do not generate unemployment trap

$$EE(R > 1)$$
 upward sloping because  $\delta_{\pi} > 1$ 

 $\Rightarrow$  Active MP+HANK+SAM generate unemployment trap

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- ► Gives unique steady state, but what about away from SS?
- ➤ Can use new theory of price level determinacy for HA models from Hagedorn (2016)
- ▶ Basic idea, nominally specified Ricardian government budget combined with IM leads to global determinacy because asset market clearing provides "missing equation"

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- ► Straightforward to show in the HANK version with exogenous risk that this gives a unique price level
- ► Should go through to HANK+SAM
- ▶ Bonus: policy has automatic stabilizer effect

$$\Theta(\eta) = 1 + \omega(1 - \eta) \left[ \left( \frac{b}{Pw - (1 - n)b/n} \right)^{-\mu} - 1 \right]$$
 (1)

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- ► ⇒ Most savings constrained agent will price bonds to satisfy EE to support no trade equilibrium
- ► Households here actually take no decisions, but are only a device to pin down the real rate
- ► How should we think about implementation of MP here? The bondless-limit of the cashless limit?

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- ► Strength of precautionary channel depends on endgenous wealth distribution and vice versa
- ► To answer that, allowing for actual precautionary savings probably first order
- ▶ Luckily, in Ravn and Sterk (2017b) they make progress on this front!

### SUMMARY

- ► Very nice paper
- ► Helps make clear important feedback mechanism b/w precautionary savings and labor marker in a tractable way
- ➤ This paper + Werning (2015) should be required reading for people interested in HANK-models (I teach them both in my PhD course!)
- ► Will provide guidance for future quantative work