Employment protection legislation and financial frictions: what drags Italian GDP down?

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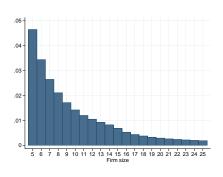
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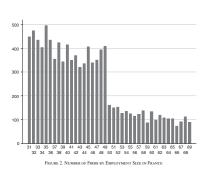
Calibrate it to Italy

Closest to Garicano, Lelarge, VanReenen (AER 2016) but no competing friction, no downward labour adjustment costs.

Size-dependent regulation: IT vs FR

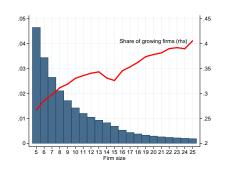


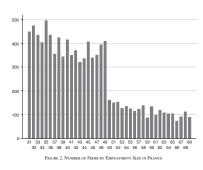




Size-dependent regulation: IT vs FR







In Italy stricter individual dismissal regulation above 15 employees (reformed in 2012-14)





$$V(a, z, n_{-1}) = \max_{c, k, n, a' > 0} u(c) + \beta E_{z'/z} \{V(a', z', n)\}$$



$$V(a, z, n_{-1}) = \max_{c, k, n, a' \ge 0} u(c) + \beta E_{z'/z} \{V(a', z', n)\}$$

$$c+a'=$$



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$$c+a' = \begin{cases} w + (1+r)a - FC(0, n_{-1}) & n = 0 \end{cases}$$



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 $k \le \lambda a, \quad \lambda \ge 1$

$$z' = \begin{cases} z & \text{with prob} & (1 - \psi) \\ \text{Pareto}(s) & \text{with prob} & \psi \end{cases}$$

The model: a few considerations



FC have no upsides (risk sharing, efficient UI, incentive compatible compensation and training schemes).

Firms cannot circumvent FC by using temporary contracts (Hijzen et al 2013) or by shifting costs on workers through lower wages (Leonardi&Pica 2013).

TFP process implies high expected costs on more productive (larger) firms ($\frac{\partial \operatorname{Prob}(z' \leq z)}{\partial z} > 0$).

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Possibly, model geared towards finding strong effects of FC on allocation of inputs across heterogeneous firms.

Calibration



Technology, preferences, depreciation parameters from literature. TFP process (η, ψ) , collateral constraint (λ) , firing costs (τ_l) calibrated to match:

	Data	Model
Targets:		
Real interest rate (%)	2	2
% firms ≤ 15	92	90
$\%$ employment in firms ≤ 15	37	44
% firms $\in [10-15]$ not growing > 15	65	66
% firm exits	11	9
Untargeted statistics:		
External funding to capital (%)	60	60
% NJD firms ≥ 30	45	50
% NJC firms ≥ 30	39	33
% entrepreneurs	11	8

Data: averages 2003-07; Inps, Istat, Bank of Italy.

Calibration

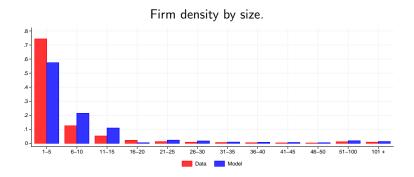


CC - Collateral constraint (λ): 4.5 times internal resources. Buera et al (2015) use a similar model to study the unfolding of the US credit crunch and calibrate λ =7.5.

FC - Firing cost (τ_I) : 7.5% annual wage bill of dismissed workers No natural empirical counterpart or outside estimate to compare with; computed on net downward adjustment.

Calibration





Larger average size in M vs D, failure to replicate very small firms. Stronger bunching just below 15 employees threshold in M vs D.

Main policy experiment



Remove size-dependent firing cost.

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Remove size-dependent firing cost. (percentage changes wrt baseline)

Empl.	Firms	Cap.	GDP	ΤĒΡ	Wage	Debt
0.4	-4.3	-0.9	-0.3	0.6	0.4	0.3

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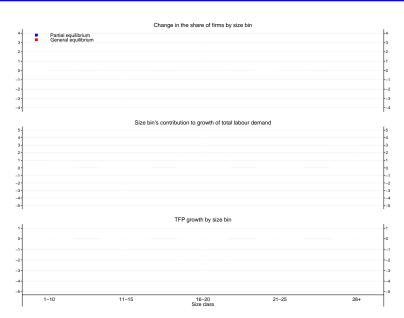


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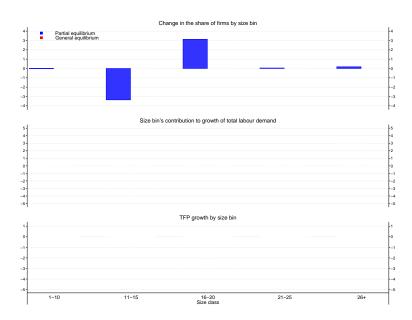
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What happens along the firm size distribution?

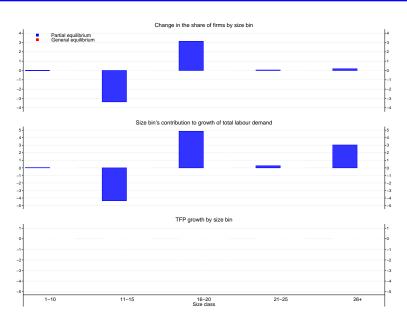




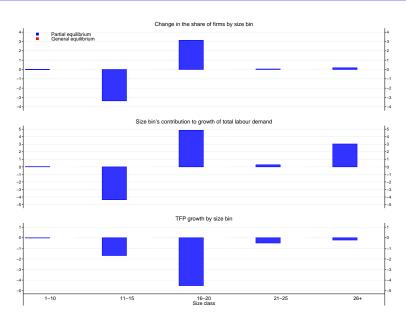




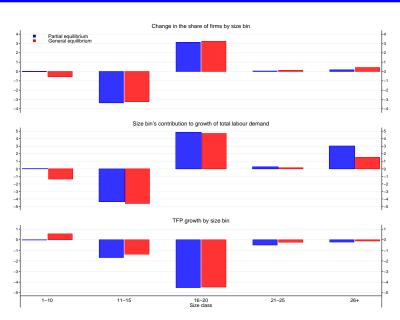














How is GE effect of size-dependent firing costs related to the presence of financial frictions?

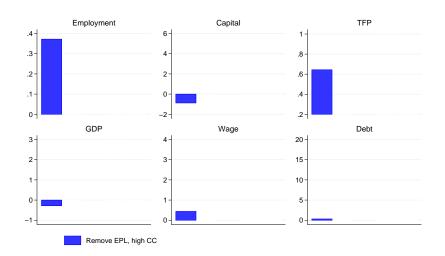


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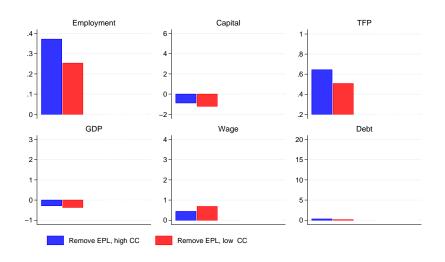
⇒ Does removing size-dependent EPL in a baseline scenario with weaker financial frictions generate stronger effects?

⇒ Do weaker financial frictions boost firm size?

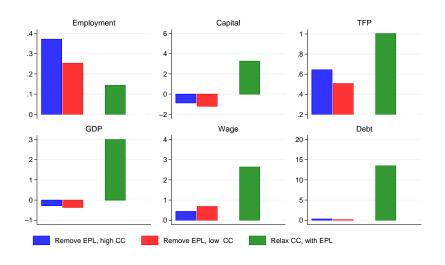




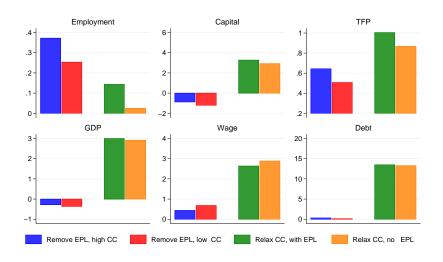












Conclusions...



Develop model of entrepreneurial choice and firm size distribution with competing size-dependent FC and CC.

Under our calibration, nearly negligible GE effects of removing FC while significant boost to output from relaxing CC to US levels even with FC.

Magnitudes depend heavily on elasticity of labour supply.

Limited effects of FC do not depend on strength of CC; limited evidence of complementarites.

Selection of pool of entrepreneurs and FC: low FC select <u>better</u> entrepreneurs because of higher wages.

...and to-be-dones



Role of elasticity of labour supply

External competitiveness and FC

 $Growth\ through\ entrepreneurial\ quality.$

Thank you.