

Discussion of Risk-Taking, Rent-Seeking, and CEO Incentives by Albagli, Hellwig and Tsyvinski

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Research Question

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Conjecture: IS&M's option to sell firm shares may produce distortion in investment decisions ("short-termism" or "price manipulation")

Is this conjecture compatible with (i) optimal contracts (ii) IS&M rational behavior?

- θ = shock affecting firm dividend
- u = market noise
- k = Manager's (non-contractible) investment
- $\pi(\theta, k) = R(\theta)k - C(k)$ = firm dividend
- $p(\theta, u, k)$ = REE price

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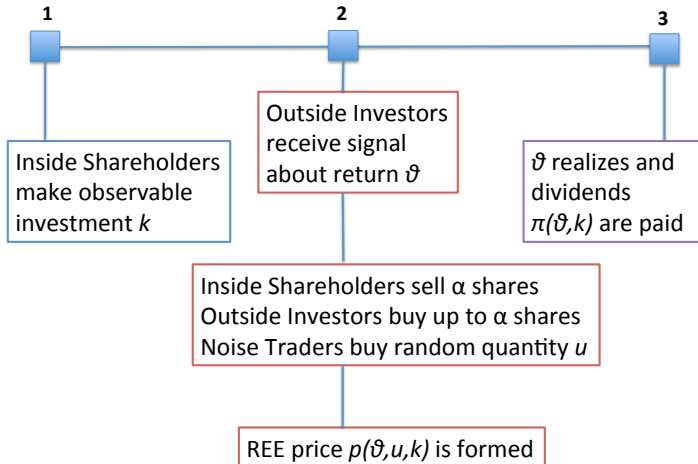
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Problem is not "weak" corporate governance, but speculative opportunities exploited by incumbent shareholders

Interests of Insiders and Outside Shareholders may not be aligned

Simple Standard Framework



Model stage 2 as a REE where active traders are:

- Informed Investors receiving private signals x about θ
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REE price is a price function $p = p(\theta, u)$

The Inside Shareholder's Problem

$$\max_k \mathbb{E}[\alpha p(\theta, u, k) + (1 - \alpha)\pi(\theta, k)]$$

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Market Power?

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Managers maximize unconditional expected profits because, by deviating from expected profit maximization, they would lower the share price (not in their own interest)

⇒ Efficient Allocation

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- Bolton et al. (2006): investors have different priors about precision of signals and are subject to short-sale constraints

This Paper

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Solution: Assume limited arbitrage (fixed bounds on allowed asset trades)

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Let z be the signal of the marginal investor

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Then, at a REE, $z = z(\theta, u)$ is sufficient statistic for price and

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Key observation:

$$p = \mathbb{E}[\pi(\theta, k)|x = z, z] \neq \mathbb{E}[\pi(\theta, k)|z]$$

= Exp. dividend conditional on public information

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where

$$\Omega(\theta, k, u) = p(\theta, u, k) - \pi(\theta, k) = \text{Info. Wedge}$$

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$$\Omega(\theta, k, u) = p(\theta, u, k) - \pi(\theta, k) = \text{Info. Wedge}$$

If $\mathbb{E}[\Omega] \neq 0$ it may be in the Inside Shareholders' interest to deviate from Expected Dividend Maximization (EDM)

How general is $\mathbb{E}[\Omega] \neq 0$?

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Should the ass. of limited arbitrage be maintained? What role does this assumption play? I would like to see more elaboration on this point!

More Questions

- What is the efficient allocation?

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- Why this type of market inefficiency?

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If Planner gives more weight to Outside Investors than to Inside Shareholders, any deviation from EDM that decreases information wedge will increase social welfare.

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- What is θ ?
- Do agents understand how R respond to θ ?

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A trivial example: If investors are risk averse, stock prices depend on how variable dividends are, as well as on their expected levels

⇒ a risk neutral Inside Shareholder may manipulate prices by affecting the variance of future dividends?

Assume:

- A representative Outside Investor (OI) with quadratic utility
- Inside Shareholder (IS) is risk-neutral
- Define: $\mathbb{E}[\pi] \equiv \bar{\pi}(k)$, $\text{Var}[\pi] \equiv \sigma_{\pi}^2(k)$

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Market-Clearing share price

$$p = p(\bar{\pi}, \sigma_{\pi}^2, u)$$

Properties: $\frac{\partial p}{\partial \bar{\pi}} = 1,$ $\frac{\partial p}{\partial \sigma_{\pi}^2} < 0$

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$\alpha > 0$ implies inefficiency? Scope for price manipulation?

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- Information Wedge is a novel concept that has never been analyzed in the literature (as far as I know)
- A lot of applications (maybe too many in the paper)
- How relevant is it? Is it useful for quantitative examinations?
- Is it more important than other (maybe more intuitive) factors having similar consequences?