

# Financial Liberalization and Allocative Efficiency

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# A Framework to analyze Financial Liberalization and Systemic Risk

Contributions of the paper

- **central question:** Is there a case for financial liberalization in order to foster growth and efficiency, despite the fact that it causes lending booms that are punctuated by severe crises and costly bailouts?
- A Framework able to integrate the key empirical regularities associated with financial liberalization, crises and growth
- Decompose the welfare consequences of financial liberalization between gains from higher production efficiency and losses associated with crisis-induced volatility.
- Emerging Market Countries: From Financial Repression Regime to Financial Liberalization Regime
- **Extension:** US Economy before the 2008 Crisis: Can financial liberalization go too far and break down financial discipline?

# Key Features of the Framework.

- Tractable Two-sector endogenous growth model: key to discuss allocative efficiency.
- Contract Enforceability Problems + Systemic Bailout Guarantees.
- Endogenous Crisis Risk (no external shock)
- Analysis of different financial regimes associated with regulation on the type of liabilities that can be issued.
  - ① Financial Repression: Standard Debt Contract with No Currency Mismatch
  - ② Financial Liberalization: Standard Debt Contract with Currency Mismatch
  - ③ **Extension:** Example with Catastrophe Bonds-Like Securities (US crisis 2008).

# Empirical Regularities on Financial Liberalization in Emerging Market Countries.

- Aggregate Effects: the *dual effects* of financial liberalization in emerging market countries.
  - Financial Liberalization typically leads to higher growth and to more frequent crises (Ranciere, Tornell, Westermann, 2008, Bonfiglioli 2008)
  - Growth effects is measured by an increase in **Aggregate TFP**.
- Sectoral Effects.
  - Sectors more dependent on external finance invest and grow more but become more volatile after financial liberalization (Levchenko, Ranciere, Thoenig, 2009) and suffer more from crises (Dell’Ariccia et al., 2009). **No sector-level TFP effects.**
- How to reconcile Sector-level results and Aggregate TPF Results?  
**Allocative Efficiency and Input-Output Linkages.**

- Firm-Level Mechanism: risk-taking through currency mismatch.
  - Ranciere, Tornell, Vamvakidis, 2010,2011: Easter European Firms (listed/non listed)
  - Kim, Tesar and Zhang, 2011: Korean firms (listed, non listed)
  - Michaux (2011): Mexican Firms.
- Systemic Bailout Guarantees.
  - Ex-Post evidence: Jeanne-Zettlemeyer (2004); Bailout of Foreign Liabilities.
  - Ex-Ante evidence: Kelly, Lustig and Niewerburgh (2011): The difference in costs of out-of-the-money put options for individual banks, and puts on the financial sector index.
  - Ranciere, Tornell, Vamvakidis (2010): Undepricing of Risk Associated with Currency Mismatch in Eastern Europe.

# Preview of Results

- Financial Liberalization: agents coordinate on systemic risk-taking—and by doing so exploit systemic bailout guarantees
  - Safe Economy endogenously transformed in a Risky Economy.
  - Higher leverage, investment and growth
  - Vulnerability to costly financial crises
- Allocative Efficiency
  - Risk-taking reduces misallocation in the economy, raises production efficiency.
  - Key Role of Input-Output Linkages
  - Efficiency Gains vs. Crises Costs (Dynamic vs. Statics)
- The Disciplining Role of Standard Debt with Systemic Bailout Guarantees.
  - Catastrophe Bonds allow "game" systemic bailout.
  - Discipline Breaks Downs and large scale funding of negative NPV projects.

# The model

An endogenous OLG growth model of a two-sector small open economy with credit market imperfections.

- Rebelo-type 2 sector AK model.
- Goods
  - 1 a final consumption good (T/Tradables). T-good is the numeraire
  - 2 an intermediate good (N/Non-Tradables) good, which is used as an input in the production of both goods. The relative price of N-goods by  $p_t = p_t^N / p_t^T$ .
- Agents.
  - 1 Competitive risk neutral international investors whose cost of funds equals the world interest rate  $r$ .
  - 2 Overlapping generations of consumers that live for two periods and have linear preference over consumption.  $c_t + c_{t+1}/(1+r)$
  - 3 Risk-Neutral Consumers are divided into two groups of measure one: workers and entrepreneurs.

# Production Technologies in two sectors

## N-sector:

- N-Firms run by entrepreneurs that produce N-goods using entrepreneurial labor ( $l_t^e = 1$ ), and capital ( $k_t$ ). Capital consists of N-goods invested during the previous period ( $l_{t-1}$ ), which fully depreciates after one period.

$$q_t = \Theta_t k_t^\beta l_t^{1-\beta}, \quad \Theta_t =: \theta \bar{k}_t^{-1-\beta}$$

$$q_t = \theta l_{t-1}$$

- N-sector: source of endogenous growth.

## T-sector:

- There is a continuum, of measure one, of competitive firms that produce the T-good combining standard labor ( $l_t = 1$ ) and the N-good ( $d_t$ ) using a Cobb-Douglas technology:  $y_t = a d_t^\alpha (l_t)^{1-\alpha}$ .
- $q_t = \phi_t \theta q_{t-1}$ ;  $y_t = [a(1 - \phi_t) d_t]^\alpha$
- Key equation for production efficiency and growth:  $\phi_t = \phi(\text{agency problems, financial regime, bailout expectations})$



- Investable funds of a firm consist of its internal funds  $w_t$  plus the liabilities  $B_t$  it issues.
- N-firms investment consist in buying N-goods ( $p_t l_t$ ),
- Cash flow of the firm equals the young entrepreneur's wage ( $w_t$ )
- Time  $t$  budget constraint :  $p_t l_t = w_t + B_t$
- Time  $t + 1$  profits :  $p_{t+1} q_{t+1} - v_{t+1}^e l_{t+1} - L_{t+1}$ .
- Standard bonds: N-bond and T-bond have to repay in all states

$$L_{t+1} = (1 + \rho_{t+1})b_t + p_{t+1}(1 + \rho_{t+1}^n)b_t^n. \quad (1)$$

If at  $t + 1$  the firm does not repay, then it must default.

- T-bond leads to mismatch and credit risk.

# Credit Market Imperfections

*Contract Enforceability Problems.* Entrepreneurs cannot commit to repay their liabilities: if at time  $t$  the entrepreneur incurs a non-pecuniary cost  $h[w_t + B_t]$ , then at  $t + 1$  she will be able to divert all the returns provided the firm is solvent (i.e.,  $\pi(p_{t+1}) \geq 0$ ).

*Systemic Bailout Guarantees.* If a majority of firms become insolvent, a bailout agency pays lenders the outstanding liabilities of each defaulting firm. The guarantee applies to any type of financial liabilities.

*Bankruptcy Costs* When a firm defaults, a share  $1 - \mu - \mu_w$  of the insolvent firms' revenues is lost in bankruptcy procedures. In this case, the bailout agency can recoup only  $\mu p_t q_t$ , and the workers receive a wage of only  $\mu_w p_t q_t$ .

- **Fiscal Solvency:** Domestically Financed Bailouts via Lump Sum Taxes.

# Risk and Equilibrium.

- Endogenous price risk: in an equilibrium  $p_{t+1}$  may equal  $\bar{p}_{t+1}$  with probability  $u_{t+1}$  or  $\underline{p}_{t+1}$  with probability  $1 - u_{t+1}$ . The probability  $u_{t+1}$  may equal either 1 or  $u$ , and this is known at  $t$
- Crises are self-fulfilling outcome of multiple equilibrium ( $1 - u$  crisis probability/ sunspot uncertainty).
- Credit Market Game: N-entrepreneurs choose a financing plan and a diversion strategy to maximize profits.
- T-entrepreneur choose inputs to maximize profits
- The market for non-tradeable input clears:

$$d_t(p_t) + I_t(p_t, \underline{p}_{t+1}, \bar{p}_{t+1}, u_{t+1}) = q_t(I_{t-1}) \quad (2)$$

# Credit Market Game Equilibrium

- Step1:  $p_t, \bar{p}_{t+1}, \underline{p}_{t+1}, u_{t+1}$  taken as given. Determine Borrowing amount ( $B_t$ ), Borrowing Denomination ( $N$  or  $T$ ), and interest rate.
- Step 2: Solve for  $p_t, \bar{p}_{t+1}, \underline{p}_{t+1}, u_{t+1}$ .
- Key Equations
  - No-diversion constraint: Incentive Compatibility Constraint (ICC)

$$E_t(L_{t+1}) \leq h(w_t + B_t)$$

- Lender's Break-Even: Participation Constraint (PC):

$$E_t(L_{t+1}) \geq (1 + r)B_t$$

- Financially Repressed Economy.

- N-firm must issued N-debt. No default risk.  $L_{t+1} = (1 + \rho_t)B_t$
- Participation Constraint:  $1 + r = 1 + \rho_t$
- No diversion constraint:  $(1 + \rho_t)B_t = h(w_t + B_t)$ .
- Credit Multiplier.

$$m^s = \frac{w_t + B_t}{w_t} = \frac{1}{1 - h/(1 + r)}$$

- Financially Liberalized Economy.

- N-firm entrepreneurs can coordinate on risk-taking by issuing T-bonds.
- Currency Mismatch : N-firms solvency depend on price of N-goods.
- Default in low state  $(1 - u)$  and solvent in high state  $(u)$
- Systemic Bailout: with proba= $(1 - u) : (1 + \rho_t)L_t$
- PC:  $1 + \rho_t = 1 + r_t$
- ICC:  $u(1 + r)B_t = h(w_t + B_t)$ .
- Credit Mutliplier

$$m^r = \frac{w_t + B_t}{w_t} = \frac{1}{1 - h/u(1 + r)} > m^s$$

- Safe Symmetric Equilibrium.** There is no currency mismatch ( $b_t = 0$ ) and crises never occur ( $u_{t+1} = 1$ ). The N-sector investment share ( $l_t = \phi_t q_t$ ) is

$$\phi^s = \frac{1 - \beta}{1 - h\delta} \quad (3)$$

- Risky Symmetric Equilibrium.** Currency mismatch is optimal ( $b_t^n = 0$ ). The probability of a crisis and the N-sector's investment share are:

$$1 - u_{t+1} = \begin{cases} 1 - u & \text{if } t \neq \tau_i \\ 0 & \text{if } t = \tau_i \end{cases} \quad \phi_t = \begin{cases} \phi^l := \frac{1 - \beta}{1 - h\delta u^{-1}} & \text{if } t \neq \tau_i \\ \phi^c := \frac{\mu_w}{1 - h\delta} & \text{if } t = \tau_i \end{cases} \quad (4)$$

$\tau_i$  denotes a crisis time. **Crisis must be rare events.**

- KEY:** Crises induce financial distress

$$w^{crisis} = \mu_w < [1 - \beta] p_t q_t = w^{no \text{ crisis}}$$

$$\phi^{crisis} < \phi^{safe} < \phi^{lucky}$$

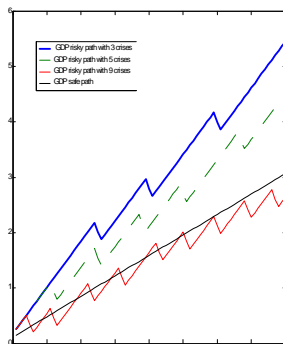
# Intuition for Self-fulfilling Crises

- T-bond denomination induces Solvency Risk (currency mismatch).  
$$\pi_t = p_t q_t - (1 + r_t) B_t$$
- Price of N-good depends on the demand of N-input by N-firms for investment.
- Investment by N-firms depends on Solvency of N-firms.
- Solvency of N-firms depends on the price of N-good
- Feedback loop: multiple clearing prices on the N-good market.
- High Price: N-firms are solvent
- Low Price: N-firms are in default
- Crisis Probability:  $(1 - u)$

# Growth in Save vs. Risky Economy

- Calibrated on India vs. Thailand - 1980-2000 (crisis probability: 5%)
- GDP: Investment + Final Good Output.  
 $gdp_t = p_t \phi_t q_t + y_t = q_t^\alpha Z(\phi_t)$
- TFP depends on  $\phi$

Figure: Limit Distribution of GDP





# Mean Long Run GDP Growth: Proposition

- Mean Growth in Liberalized (Risky) Economy vs. Repressed (Safe) Economy.

- $$E(1 + \gamma^r) = (1 + \gamma^s)^\alpha \left(\frac{\phi^l}{\phi^s}\right)^{\frac{1}{2-u}} \left(\frac{\mu_w}{1-\beta}\right)^{\frac{1-u}{2}}$$

- The *leverage effect* dominates the *crisis effect*.

$$\begin{array}{ccc} \log(\phi^l) - \log(\phi^s) & \geq & (1 - u) \quad [\log(1 - \beta) - \log(\mu_w)] \\ \text{Leverage Gains} & & \text{Crisis Risk} \quad \text{Financial Distress Costs} \end{array}$$

- A risky economy outperforms a safe one if the benefits of higher investment in no-crisis times ( $\phi^l > \phi^s$ ) compensate for the shortfall in internal funds and investment in crisis times ( $\mu_w < 1 - \beta$ ) weighted by the frequency of crisis ( $1 - u$ ).
- Condition is satisfied with an upper bound on financial distress costs.

# Production Efficiency

## Bottleneck and Allocative Inefficiency

- Central planner maximizes the present discount value of consumption.

$$\begin{aligned} \max_{\{c_t, c_t^e, \phi_t\}_{t=0}^{\infty}} W^{PO} &= \sum_{t=0}^{\infty} \delta^t [c_t^e + c_t], \quad \text{s.t.} \quad \sum_{t=0}^{\infty} \delta^t [c_t + c_t^e - y_t] \leq 0 \\ y_t &= [1 - \phi_t]^\alpha q_t^\alpha, \quad q_{t+1} = \theta \phi_t q_t \end{aligned}$$

- Pareto optimality implies efficient accumulation of N-inputs.

### Proposition (Bottleneck)

*N-sector investment in a safe economy is below the Pareto optimal level (i.e., there is a 'bottleneck') if there is low contract enforceability:*

$$h < (1 - (1 - \beta)\theta (\theta\delta)^{-\frac{1}{1-\alpha}}) / \delta.$$

# Present Value of Consumption in a Decentralized Economy

- The expected discounted value of workers' consumption and entrepreneurs' consumption in our decentralized economy is equal to:

$$W^d = E_0 \left( \sum_{t=0}^{\infty} \delta^t (c_t + c_t^e) \right) = E_0 \left( \sum_{t=0}^{\infty} \delta^t [(1-\alpha)y_t + \pi_t - T_t] \right) \quad (5)$$

- Closed Form Solutions:

$$W^s = \frac{(1-\phi^s)^\alpha}{1-\delta(\theta\phi^s)^\alpha} q_0^\alpha \quad W^r = \frac{1+\delta(1-u) \left[ \theta \phi' \frac{1-\phi^c}{1-\phi'} \right]^\alpha k^c}{1 - [\theta\phi']^\alpha \delta u - [\theta^2 \phi' \phi^c]^\alpha \delta^2 (1-u)} [(1-\phi')q_0]^\alpha$$

- Effect of a Marginal Increase in Crisis Risk.

$$\left. \frac{\partial W^r}{\partial u} \right|_{u=1} = \underbrace{\alpha \phi' \left( \left( \frac{\phi^{p_0}}{\phi} \right)^{1-\alpha} - 1 \right)}_{\text{Efficiency gains}} + \underbrace{(1-\delta(\theta\phi)^\alpha) \left( 1 - k_c \left( \frac{1-\phi^c}{1-\phi'} \right) (1-\phi) \right)}_{\text{Bankruptcy costs}} + \underbrace{(1-\phi)^\alpha \delta^2 (\theta\phi)^\alpha (\theta)^\alpha ((\phi)^\alpha - (\phi^c)^\alpha)}_{\text{Financial distress costs}}$$

## Proposition

*In an economy where crisis are rare events:*

- 1 *Financial liberalization increases the present value of consumption only if the investment share in a repressed regime ( $\phi$ ) is less than the Pareto investment share ( $\phi^{p^0}$ ).*
- 2 *When  $\phi < \phi^{p^0}$ , financial liberalization increases the present value of consumption for any level of bankruptcy costs  $\mu$ , if financial distress in the wake of crisis is not too high ( $\mu_w > \mu_w^*$ ) and the discount rate  $\delta$  is not too low.*

# Catastrophe Bonds.

- An alternative–inferior–technology to produce T-goods.

$$y_{t+1} = \varepsilon_{t+1} I_t^\varepsilon, \quad \varepsilon_{t+1} = \begin{cases} \bar{\varepsilon} & \text{with probability } \lambda, \\ 0 & \text{with probability } 1 - \lambda \end{cases} \quad \bar{\varepsilon} \leq 1 + r, \quad (7)$$

where  $I_t^\varepsilon$  denotes the input of T-goods.

- Entrepreneurs can issue both standard and catastrophe bonds with the following repayment schedule

$$L_{t+1}^c = \begin{cases} 0 & \text{if } \varepsilon_{t+1} = \bar{\varepsilon} \text{ with } \lambda \\ 1 + \rho_t^c & \text{if } \varepsilon_{t+1} = 0 \text{ with } (1 - \lambda) \end{cases}$$

- Consider an situation in which entrepreneurs with positive NPV play safe. ( $\theta$  – entrepreneur)

# The Break-down of Financial Discipline.

- **Catastrophe bonds:** borrowers shift all their liability repayments to the default state.
  - ① any positive return in the no-default state is enough to ensure positive profits in that state;
  - ② the solution to the borrower–lender agency problem: no equity investment: the borrowing limit is determined by the expected generosity of the bailout rather than by internal funds  
 $E(L) = 0 < h(B)$
  - ③ the  $\varepsilon$ -technology is funded under the anything-goes regime.
- **Standard debt contracts:**
  - ① external finance only for projects that return at least the risk-free rate in the no-default state.
  - ② borrowing more a multiple of their own equity to eliminate incentives to divert.
  - ③ Borrowers invest only in projects that have a private return (net of debt repayments) greater than the storage return  $1 + r$ .
  - ④ The  $\varepsilon$ -technology is not funded.

# Financial Black Hole Equilibrium

## Efficiency Losses

- Welfare in Anything Goes Regime.

$$W^{agr} = E_0 \left( \sum_{t=0}^{\infty} \delta^t (c_t + c_t^e + c_t^\varepsilon) \right) = E_0 \left( \sum_{t=0}^{\infty} \delta^t [(1 - \alpha)y_t^t + \pi_t + \pi_t^\varepsilon] \right) \quad (8)$$

$$W^{agr} = \underbrace{W^s}_{\text{Safe economy's PVC}} + \underbrace{\sum_{t=1}^{\infty} \delta^t b_{t-1}^c \left( \bar{\varepsilon} - \frac{1+r}{1-\lambda} \right)}_{\substack{\varepsilon\text{-expected PVC} \\ - \text{Expected bailout}}}, \quad (9)$$

- Since the  $\varepsilon$ -technology has negative net present value (i.e.,  $(1 - \lambda)\bar{\varepsilon} < 1 + r$ ), it follows that  $W^{agr} < W^s$ .
- The losses it incurs during crisis times more than offset private profits.
- Therefore, a financial black-hole equilibrium generates net consumption losses for the overall economy

# Conclusions

- In a world where systemic bailouts are part of the environment.
- Financial liberalization can help improve the allocation of resources—by increasing leverage in constrained sectors—but at the same time it can generate new states under which systemic insolvencies occur.
- Despite occurrence of crisis, financial liberalization brings benefits to growth and increase allocative efficiency and the present value of consumption.
- However at the other extreme—a lack of financial regulation—might also be harmful.
- In an any-thing-goes regime where borrowers can issue catastrophe-like securities, the presence of systemic bailout guarantees might lead to excessive leverage and a lack of discipline in lending decisions.
- Regulation on the Liability Side.