

FIRM DYNAMICS, JOB TURNOVER, AND WAGE DISTRIBUTIONS IN AN OPEN ECONOMY

A. Kerem Coşar, Nezih Guner, and James Tybout

PennState, ICREA and U. Autònoma de Barcelona, PennState and NBER

ESSIM, May 2010

- Labor market effects of openness?
 - less job security
 - increased wage inequality
- Many liberalizing countries also experienced:
 - technological change
 - macro shocks
 - labor market reforms
 - privatization
- This paper
 - develops a dynamic structural model in which openness can lead to all of the consequences above
 - fits the model to Colombian micro data and quantifies the linkages

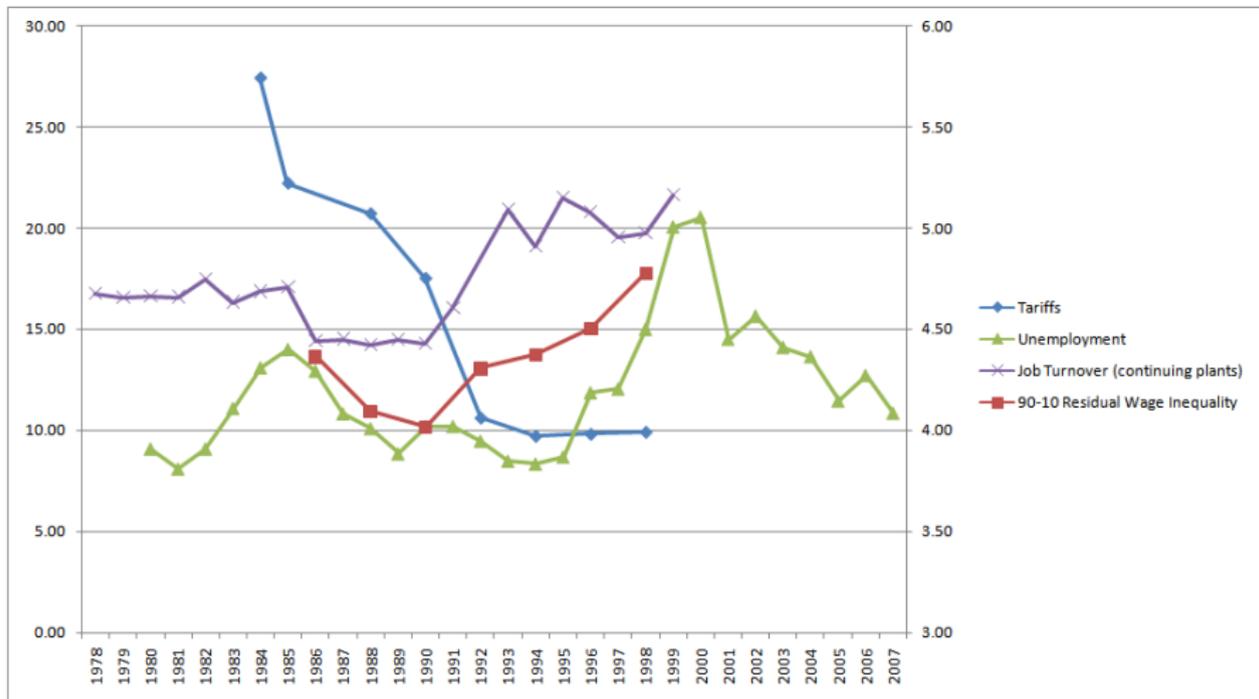


FIGURE: Colombian Experience

Evidence regarding job turnover:

- Openness is correlated with increased job turnover mainly due to greater *intra-sectoral* labor movements rather than *inter-sectoral* labor reallocation.

Hence:

- Use a Melitz (2003) model in which relatively efficient firms self-select into exporting.
- Allow ongoing idiosyncratic productivity shocks and endogenous entry/exit, as in Hopenhayn and Rogerson (1993).

Evidence regarding wage inequality:

- Wage inequality has increased partly because of a rising skill premium (Goldberg and Pavcnik (2007)), *but*:
 - we present evidence for increased (residual) wage dispersion by controlling for worker characteristics,
 - "Within industries, plants that receive greater inducements to export . . . raise wages relative to those that do not" (Verhoogen (2008), Amiti and Davis (2008))." Adjustments mainly reflect changes in worker rents (Frias et al. (2009)).

Hence

- Ex-ante homogeneous workers search and randomly match with heterogeneous firms
- rent sharing

As trade costs decrease:

- job turnover
 - elasticity of profit functions wrt productivity increases \Rightarrow higher turnover
 - firm size distribution shifts towards larger firms which have lower turnover
- wage inequality
 - openness creates additional rents for large firms
 - squeezes rents out of small firms \Rightarrow fatter tails in the wage distribution.

As trade costs decrease:

- job turnover
 - elasticity of profit functions wrt productivity increases \Rightarrow higher turnover
 - firm size distribution shifts towards larger firms which have lower turnover
- wage inequality
 - openness creates additional rents for large firms
 - squeezes rents out of small firms \Rightarrow fatter tails in the wage distribution.
- The model generates considerable frictional wage dispersion (Hornstein, Krusell and Violante (2009))
- Openness can account for around 40% of the increase in residual wage inequality, but does not generate higher (steady state) job turnover.
- Not yet finished: dismissal costs and variable mark-ups

SOME RELATED GE TRADE AND LABOR MODELS

- **Unemployment and trade with labor market frictions:**
 - *Melitz with Search*: Felbermayr et al (2007), Helpman and Itskhoki (2010), Helpman et al (2009a, 2009b),
 - *Melitz with Efficiency wages*: Egger and Kreikemeier (2007), Amiti and Davis (2008), Davis and Harrigan (2008).
 - *Competitive product markets with search*: Albrecht and Vroman (2002), Davidson et al (1999, 2008)
 - *Competitive product markets with other labor market frictions*: Artuc, Chaudhuri and McClaren (2008), Kambourov (2006)
- **Trade and wage dispersion**
 - *Skill premia models*: Albrecht and Vroman (2002), Yeaple (2005), Davidson et al (2008), Helpman et al (2009a, 2009b)
 - *Efficiency wage models*: Davis and Harrigan (2008)
- **Novel features of our model:**
 - Ongoing idiosyncratic productivity shocks
 - Endogenous entry/exit

- Differentiated good (Q-sector) production:

$$q(z, l) = zl^\alpha, \quad \alpha > 0,$$

- firms are distributed across states (z, l) with $f(z, l)$
- homogeneous non-traded good (S-sector) production:

$$S = L_S + bL_u, \quad 0 < b < 1.$$

- Infinitely lived, ex-ante homogenous, risk-neutral worker-consumers of measure one. For worker i ,

$$U_i = \sum_{t=1}^{\infty} \left(\frac{1}{1+r} \right)^t S_i^{1-\gamma} Q_i^\gamma,$$

where $Q_i = \left(\int \int q_{Hi}(z, l) \frac{\sigma-1}{\sigma} f(z, l) dz dl + q_{Fi} \right)^{\frac{\sigma}{\sigma-1}}$.

- Budget constraint (no saving):

$$I_i = S_i + \int \int p_H(z, l) q_{Hi}(z, l) f(z, l) dz dl + (\tau_m \tau_c k) q_{Fi}$$

- Iceberg trade costs: $\tau_c - 1$; Import tariffs: $\tau_m - 1$; Pesos per dollar exchange rate: k .

- Aggregating over consumers yields home demand for domestic goods and imports:

$$\begin{aligned}q_H(z, l) &= D_H \cdot p_H(z, l)^{-\sigma} \\ q_F &= D_H \cdot [\tau_m \tau_c k]^{-\sigma}\end{aligned}$$

where $D_H = \gamma IP^{\sigma-1}$ with the price index

$$P = \left(\int \int p_H(z, l)^{1-\sigma} f(z, l) dz dl + [\tau_m \tau_c k]^{1-\sigma} \right)^{\frac{1}{1-\sigma}}$$

- If a fraction $(1 - \eta)$ output is sold domestically:

$$r_H(z, l, \eta) = D_H^{\frac{1}{\sigma}} [(1 - \eta) z l^\alpha]^{\frac{\sigma-1}{\sigma}}$$

- exogenous foreign demand level D_F
- fixed costs of exporting $c_x > 0$

$$\begin{aligned}
 r(z, l) &= \max_{\eta \in [0,1]} \{r_H(z, l, \eta) + r_x(z, l, \eta) - c_x \mathcal{I}^x\} \\
 &= \max \left\{ \begin{array}{l} \left[D_H^{\frac{1}{\sigma}} (1 - \eta^0)^{\frac{\sigma-1}{\sigma}} + k D_F^{\frac{1}{\sigma}} \left(\frac{\eta^0}{\tau_c} \right)^{\frac{\sigma-1}{\sigma}} \right] (z l^\alpha)^{\frac{\sigma-1}{\sigma}} - c_x \\ D_H^{\frac{1}{\sigma}} (z l^\alpha)^{\frac{\sigma-1}{\sigma}} \end{array} \right. .
 \end{aligned}$$

where $\eta^0 = 1 / \left(1 + \frac{\tau_c^{\sigma-1} D_H}{k^\sigma D_F} \right)$ and $\mathcal{I}^x = 1_{\eta > 0}$ is an indicator function for exporting.

TIMING OF FIRM'S PROBLEM

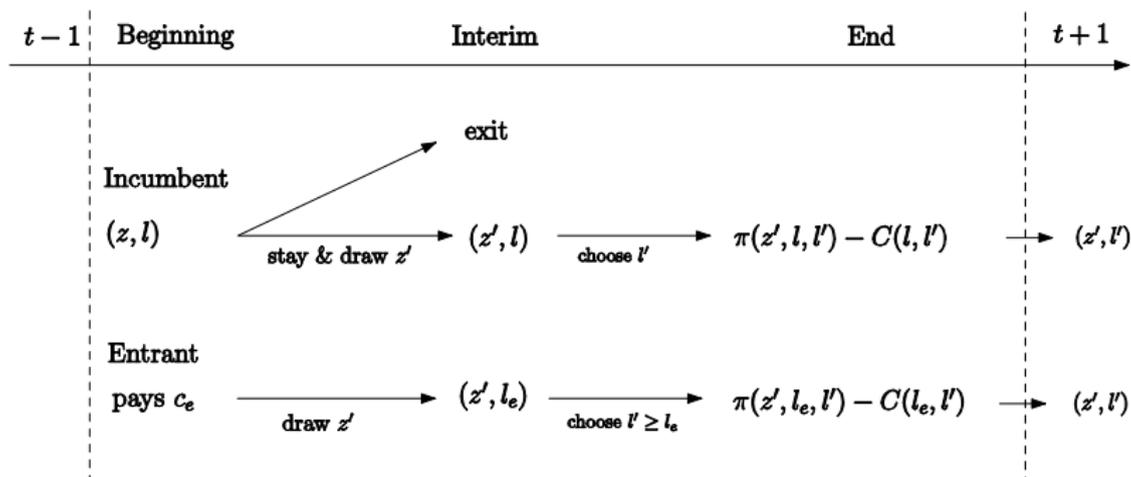


FIGURE: Within-period Sequencing of Events for Firms

TIMING OF WORKER'S PROBLEM

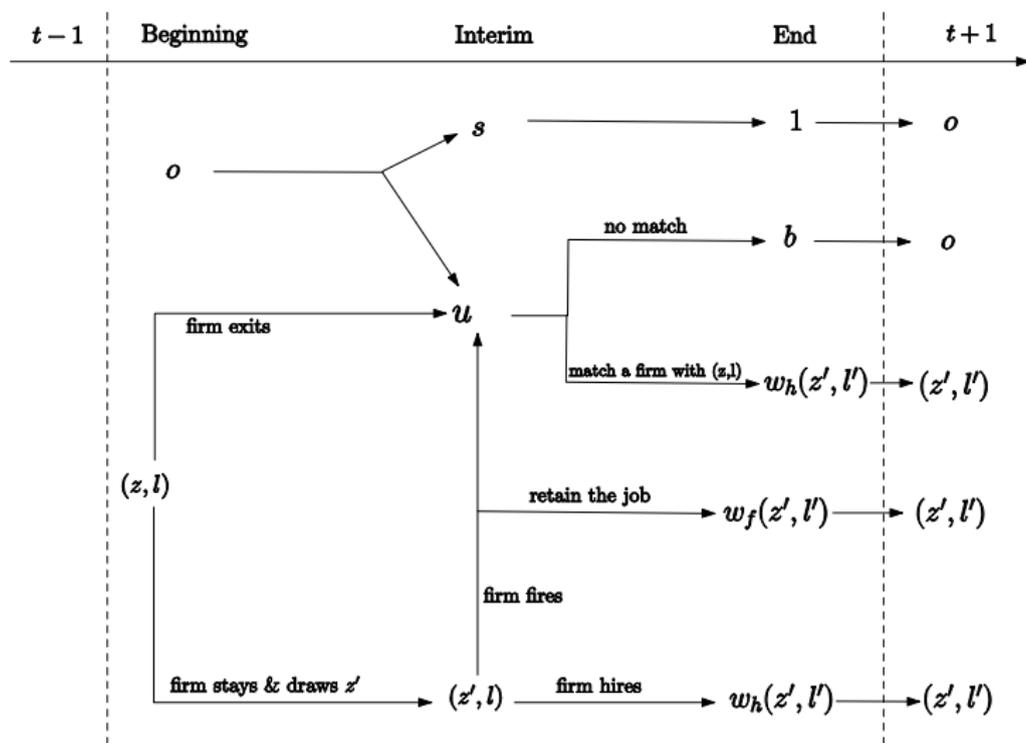


FIGURE: Within-period Sequencing of Events for Workers

LABOR MARKET MATCHING

- New matches, given measure L_u of unemployed workers are searching for jobs in the Q -sector and measure V of vacancies:

$$M(V, L_u) = \frac{V \cdot L_u}{(V^\theta + L_u^\theta)^{1/\theta}}$$

- Vacancy filling and job finding probabilities:

$$\phi_f(V, L_u) = \frac{M(V, L_u)}{V} = \frac{L_u}{(V^\theta + L_u^\theta)^{1/\theta}}$$

$$\phi_w(V, L_u) = \frac{M(V, L_u)}{L_u} = \frac{V}{(V^\theta + L_u^\theta)^{1/\theta}}.$$

- Cost of posting v vacancies for a firm of size l :

$$C_h(l, v) = \left(\frac{c_h}{\lambda_1} \right) \left(\frac{v}{l^{\lambda_2}} \right)^{\lambda_1}$$

where $\lambda_1 > 1$ (convexity), $\lambda_2 > 0$ (scale economies)

- Convex hiring costs deliver realistic firm dynamics in a large firm setup- Yashiv (2000), Bertola and Caballero (1994), Bertola and Giribaldi (2001)
- Firms are large, so employment at the i^{th} firm evolves according to $l'_i = l_i + \phi_f v_i$,

$$v_i = \frac{l'_i - l_i}{\phi_f}.$$

- The total number of vacancies is: $V = \sum v_i$.

- Firms bargain with all workers individually, and they do so each period (Stole and Zwiebel, 1996).
- In hiring firms ($l' > l$), rents are split by Nash bargaining
 \Rightarrow hiring wages $w_h(z, l)$,
- In firing firms ($l' \leq l$), no rents
 \Rightarrow reservation wages $w_f(z, l)$.
- Current profits

$$\pi(z, l, l') = \begin{cases} r(z, l') - w_h(z, l')l' - c_p & \text{if } l' > l \\ r(z, l') - w_f(z, l')l' - c_p & \text{otherwise.} \end{cases}$$

- Firm's value in the interim state:

$$\tilde{\mathcal{V}}(z', l) = \max_{l'} \frac{1}{1+r} \{ \pi(z', l, l') - C(l, l') + \mathcal{V}(z', l') \}$$

where

$$C(l, l') = \begin{cases} C_h(l, l'), & \text{if } l' > l, \\ c_f(l - l'), & \text{otherwise.} \end{cases}$$

- Firm's value in the interim state:

$$\tilde{\mathcal{V}}(z', l) = \max_{l'} \frac{1}{1+r} \{ \pi(z', l, l') - C(l, l') + \mathcal{V}(z', l') \}$$

where

$$C(l, l') = \begin{cases} C_h(l, l'), & \text{if } l' > l, \\ c_f(l - l'), & \text{otherwise.} \end{cases}$$

- Firm's value at the beginning of the period:

$$\mathcal{V}(z, l) = \max \{ E_{z'} [\tilde{\mathcal{V}}(z', l) | z'], 0 \}$$

- Firm's value in the interim state:

$$\tilde{\mathcal{V}}(z', l) = \max_{l'} \frac{1}{1+r} \{ \pi(z', l, l') - C(l, l') + \mathcal{V}(z', l') \}$$

where

$$C(l, l') = \begin{cases} C_h(l, l'), & \text{if } l' > l, \\ c_f(l - l'), & \text{otherwise.} \end{cases}$$

- Firm's value at the beginning of the period:

$$\mathcal{V}(z, l) = \max \{ E_{z'} [\tilde{\mathcal{V}}(z', l) | z'], 0 \}$$

- The implied policy functions:

$$\begin{aligned} l' &= L(z', l), \\ \mathcal{I}^h(z', l) &= \begin{cases} 1, & \text{if } L(z', l) > l, \\ 0, & \text{otherwise.} \end{cases} \\ \mathcal{I}^c(z, l) &= \begin{cases} 1 & \text{if } E_{z'} [\tilde{\mathcal{V}}(z', l) | z] > 0 \\ 0 & \text{otherwise.} \end{cases} \end{aligned}$$

FREE ENTRY CONDITION

- Entry occurs until the value of an additional firm no longer exceeds the sunk entry cost, c_e :

$$V_e = \int_{\underline{z}}^{\bar{z}} \tilde{V}(z, l_e) f_e(z) dz \leq c_e,$$

where $f_e(z)$ is the distribution of initial productivity levels.

WORKER VALUE FUNCTIONS

- Interim value of S -sector employment:

$$J^s = \frac{1}{1+r} (1 + J^o)$$

- Interim value of searching for a Q -sector job:

$$J^u = \frac{1}{1+r} [(1 - \phi_w)(b + J^o) + \phi_w E J_h^e]$$

where $E J_h^e$ is the expected value of being employed in a hiring firm.

- The value of the sectoral choice is

$$J^o = \max\{J^s, J^u\} = J^s = J^u$$

WORKER VALUE FUNCTIONS

- The value of being in a hiring firm at the interim stage:

$$\tilde{J}_h^e(z', l) = \frac{1}{1+r} [w_h(z', l') + J^e(z', l')]$$

- The value of being in a firing firm before firing takes place:

$$\tilde{J}_f^e(z', l) = P_f(z', l)J^u + (1 - P_f(z', l)) \frac{w_f(z', l') + J^e(z', l')}{1+r}$$

WORKER VALUE FUNCTIONS

- The value of being in a hiring firm at the interim stage:

$$\tilde{J}_h^e(z', l) = \frac{1}{1+r} [w_h(z', l') + J^e(z', l')]$$

- The value of being in a firing firm before firing takes place:

$$\tilde{J}_f^e(z', l) = P_f(z', l)J^u + (1 - P_f(z', l)) \frac{w_f(z', l') + J^e(z', l')}{1+r}$$

- The value of starting the period employed at a (z, l) firm:

$$J^e(z, l) = (1 - \mathcal{I}^c(z, l))J^u + \mathcal{I}^c(z, l) \int_{z'} \left[\tilde{J}_h^e(z', l) \mathcal{I}^h(z', l') + \tilde{J}_f^e(z', l) (1 - \mathcal{I}^h(z', l')) \right] h(z'|z) dz'$$

HIRING WAGE FUNCTION

- At the time of hiring, firm rents from the marginal worker are:

$$\Pi^{firm}(z, l) = \frac{1}{1+r} \left[\frac{\partial \pi(z, l)}{\partial l} + \int_{z'} \frac{\partial \mathcal{V}(z', l)}{\partial l} h(z'|z) dz' \right]$$

- Worker rents are:

$$\Pi^{work}(z, l) = \frac{1}{1+r} [w_h(z, l) + J^e(z, l)] - \frac{b + J^o}{1+r}$$

- The bargaining condition:

$$\beta \Pi^{firm}(z, l) = (1 - \beta) \Pi^{work}(z, l)$$

- Implied hiring wage:

$$w_h(z, l) = (1 - \beta)r \left(\frac{b + J^o}{1+r} \right) + \Gamma(\alpha, \beta, \sigma) D^{\frac{1}{\sigma}} z^{\frac{\sigma-1}{\sigma}} l^{-[\frac{\alpha}{\sigma} + (1-\alpha)]} - \beta P_f(z, l) c_f$$

- Firm leaves workers indifferent between staying and leaving,

$$\frac{w_f(z', l') + J^e(z', l')}{1 + r} = J^u,$$

which delivers:

$$w_f(z', l') = rJ^u - [J^e(z', l') - J^u].$$

STEADY STATE EQUILIBRIUM

- A distribution $f(z, l)$ of firms that reproduces itself through $h(z'|z)$, firms' policy functions and the initial productivity draws of entrants from $f_e(z)$,
- Workers are indifferent between working in the service sector or searching,
- Supply matches demand for services and each differentiated good,
- Flow of workers into and out of unemployment match each other,
- Aggregate income matches aggregate expenditure,
- Trade balance holds.

Annual Industrial Survey, 1982-91

- All Colombian manufacturing plants with more than 10 workers, collected by the Colombian National Statistical Agency (DANE)
- 44,023 plant-year observations
- Average firm size: 69

FIRST STAGE: ESTIMATION

- Log revenue function (gross of fixed exporting costs):

$$\ln r_{it} = d_H + \mathcal{I}_{it}^x d_F + \frac{\sigma - 1}{\sigma} \ln z_{it} + \alpha \frac{\sigma - 1}{\sigma} \ln l_{it}$$

- Productivity process

$$\ln z_{it} = \rho \ln z_{it-1} + \epsilon_{it},$$

- Estimated equation

$$\begin{aligned} \ln r_{it} = & (d_H + \mathcal{I}_{it}^x \cdot d_F) - \rho (d_H + \mathcal{I}_{it-1}^x d_F) + \rho \ln r_{it-1} \\ & - \alpha \rho \left(\frac{\sigma - 1}{\sigma} \right) \ln l_{it-1} + \alpha \left(\frac{\sigma - 1}{\sigma} \right) \ln l_{it} + \frac{\sigma - 1}{\sigma} \epsilon_{it}, \end{aligned}$$

- GMM estimator deals with selection bias and simultaneity.

REVENUE FUNCTION ESTIMATES

	GMM Estimates with $\sigma = 5$		
parameter	estimate	std. error	z-ratio
α	0.592	0.057	10.41
ρ	0.848	0.007	118.73
σ_{ε}^2	1.668	0.042	39.54
d_H	1.682	0.047	35.78
d_F	0.213	0.004	51.31

PARAMETERS SET BEFORE SIMULATIONS

Parameter	Value	Description	Source
$k^\sigma D_F$	3482.1	foreign demand	from GMM estimates
τ_c	2.837	iceberg trade costs	from GMM estimates
c_e	329.4	entry costs	from GMM estimates
σ	5	elas. of substitution	Anderson&van Wincoop(2004)
r	0.15	discount rate	Bond et al. (2008)
γ	0.4	Q goods in utility	World Bank (2005)
l_e	10	size of entrants	assumed
β	0.5	bargaining power	assumed
θ	1.27	elas. of matching fnc.	den Haan et al. (2000)

SECOND STAGE: CALIBRATION

Remaining parameters: $(c_p, c_h, c_x, b, \lambda_1, \lambda_2)$

Data vs. Model					
Industry-wide Statistics			Emp. Growth		
	Data	Model	Rates, by Quintile	Data	Model
Exit rate	0.091	0.083	<20th percentile	0.319	0.341
Job turnover	0.211	0.226	20th-40th percentile	0.218	0.248
Export rate	0.120	0.122	40th-60th percentile	0.191	0.209
Unemployment	0.086	0.100	60th-80th percentile	0.183	0.168
$corr(l, l')$	0.95	0.83	>80th percentile	0.157	0.145
$corr(z, l')$	0.59	0.66			
$corr(z, l)$	0.57	0.74			

SECOND STAGE: CALIBRATION

Parameter	In model		Description
	units	In US\$	
c_p	19.0	\$85,946	fixed cost of operation
c_h	5.31	\$24,020	vacancy posting cost scalar
c_x	8.57	\$38,766	fixed cost of exporting
b	0.12	\$542	value of home production
λ_1	1.68		convexity, vacancy cost function
λ_2	0.30		scale effect, vacancy cost function

WAGE DISTRIBUTION

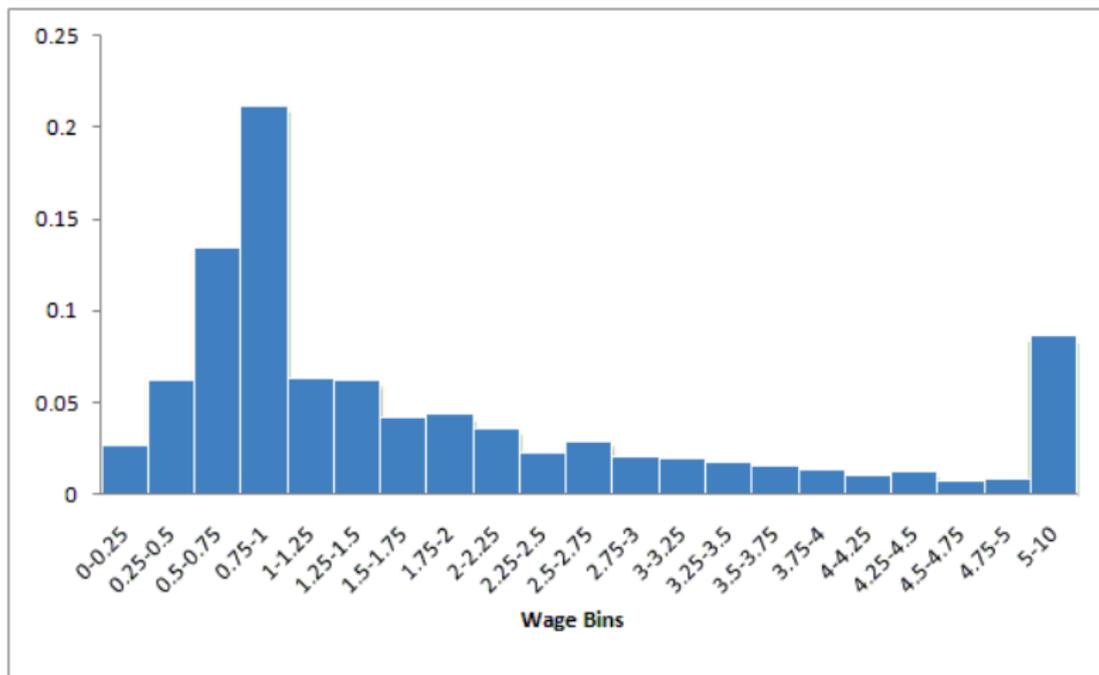


FIGURE: Histogram of Wages

EXPERIMENTS: DECREASE IN TRADE COSTS

Variable			15% drop in	45% drop in
	base case	tariff reductions	trade costs	trade costs
	$\tau_m = 1.21$ $\tau_c = 2.84$	$\tau_m = 1.11$ $\tau_c = 2.84$	$\tau_m = 1.21$ $\tau_c = 2.55$	$\tau_m = 1.21$ $\tau_c = 2$
Export rate	0.122	0.140	0.158	0.264
Job turnover	0.226	0.222	0.224	0.224
Unemployment	0.100	0.100	0.098	0.094
$\log(w_{90}/w_{10})$	2.035	2.047	2.049	2.070
Std. dev. log wages	0.775	0.776	0.778	0.781
Ave. ind. utility, $IP^{-\gamma}$	0.772	0.771	0.781	0.829

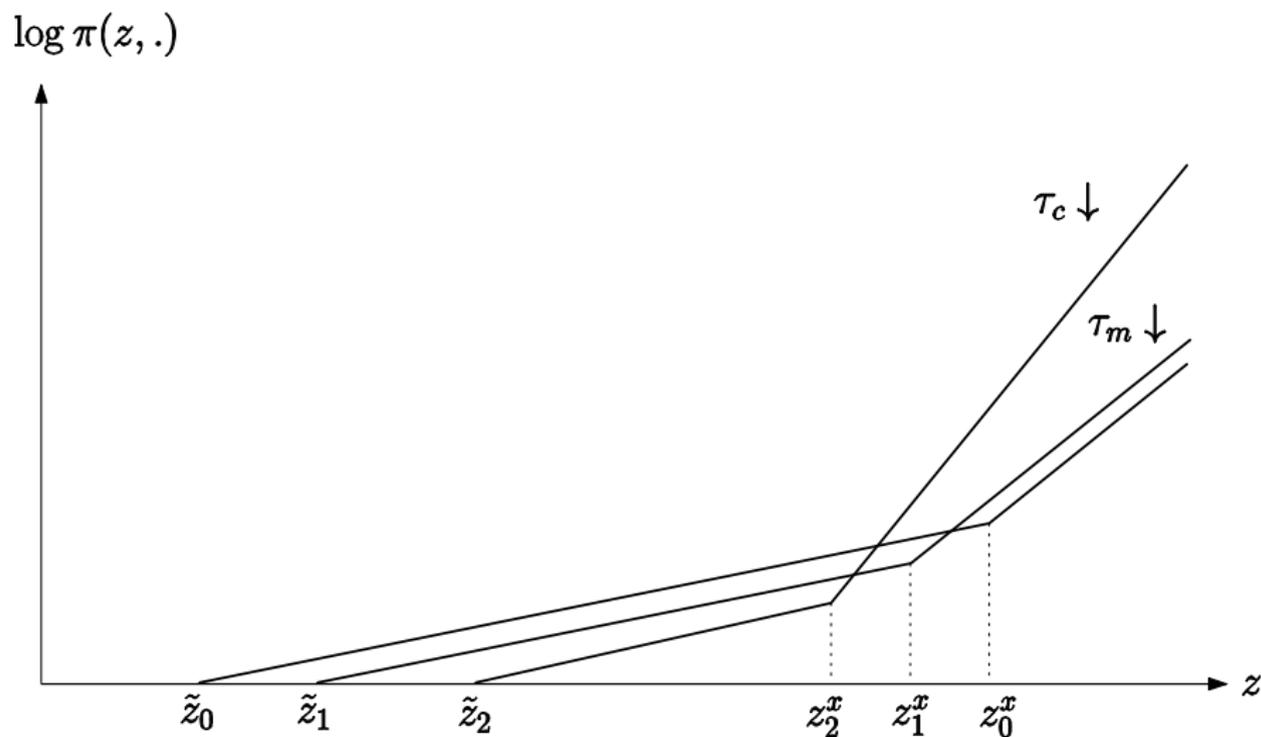


FIGURE: Response of Profits to Import Tariffs and Trade Costs

- No evidence on openness leading to increased job turnover
 - flexible wages absorb most of the shock
 - exporter effect and shift in size distribution offset each other
- Residual wage inequality increases
- Work in progress: JT quite responsive to labor market reforms (drop in c_f)