

“The state-dependent impact of changes in bank capital requirements” by Hannes Lang and Menno

Galo Nuño (BdE)

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The paper in a nutshell

- ▶ Imagine that the **capital constraint** is **binding** for a bank, then, if (i) a bank's **capital** is **constant** (it cannot issue new capital), and (ii) its **assets** are **short-term**:

$$\frac{E}{\omega L_i} = R \Rightarrow \Delta \log R = -\Delta \log L_i.$$

- ▶ If **all** the banks face a binding capital constraint, then (**quantity channel**)

$$i^A = \frac{\lambda - \log \int L_i di}{\epsilon} \Rightarrow \Delta i^A = \frac{\Delta \log R}{\epsilon}.$$

- ▶ However, when banks can **issue equity** (or they all hold a **voluntary capital buffer**), banks solve the problem:

$$\max_{L', E'} d + \frac{1}{1 + \rho} d'$$

s.t.

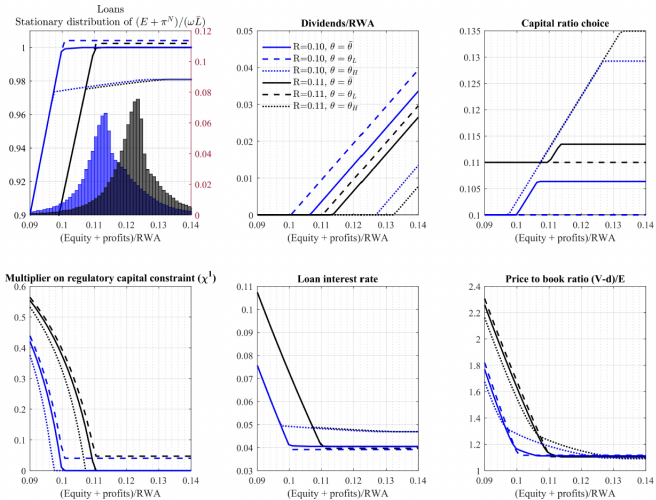
$$d = \overbrace{i^A L - i^D (L - E)}^{\text{Net interest income}} - \overbrace{(E' - E)}^{\text{Change in capital}},$$

$$\frac{E}{\omega L} \geq R.$$

- ▶ The first order conditions are (**pricing channel**)

$$\log L = \lambda - \epsilon [(\rho - i^D) \omega R] \Rightarrow \Delta \log L = -\epsilon [(\rho - i^D) \omega \Delta R].$$

Figure 7: Policy functions of the calibrated model



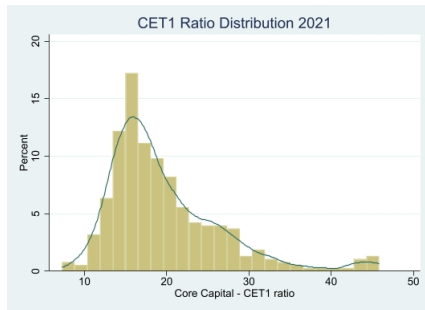
Comments

- 1 Do banks deleverage so fast?
- 2 Can bank heterogeneity help support the results?
- 3 How relevant is to miss endogenous deposit funding?

1. Do banks deleverage so fast?

- ▶ In the paper, banks **do not default** and can perfectly adapt their **(short-term) asset structure** → if a (large) negative shock arrives, they are forced to **deleverage instantaneously**.
- ▶ In reality, banks hold **long-term assets** (maturity transformation) → this suggests that, if a (large) negative shock arrives, they would be forced to default or deleverage over **long periods of time**.

2. Can bank heterogeneity help support the results?



Banks are quite **heterogeneous** in their capital ratios → Do banks at/closer to the regulatory ratio experience a **larger increase** in loans when the regulatory constraint is relaxed?

3. How relevant is to miss endogenous deposit funding?

- ▶ Imagine the deposits rates are also **endogenous**

$$i^D = \frac{\mu - \log \int D_i di}{\eta}.$$

- ▶ A change in the regulatory ratio through this mechanism leads to

$$\uparrow R \rightarrow \uparrow E, \downarrow L \rightarrow \downarrow D \rightarrow \downarrow i^D \rightarrow \uparrow L, \uparrow E$$

so that the total impact through the pricing channel can be **reversed** for loans, right?

Final thoughts

- ▶ State-dependency in [Jimenez et al. \(2017\)](#) seems to be about credit demand and loan quality, not about banks at the regulatory constraint.
- ▶ Tension between a [qualitative](#) (theory) paper, and a [quantitative](#) (computational) one.
- ▶ Original paper, easy to read and well executed. [Congratulations!](#)